

# Package: tspredit (via r-universe)

May 22, 2026

**Title** Time Series Prediction with Integrated Tuning

**Version** 2.0.707

**Description** Time series prediction is a critical task in data analysis, requiring not only the selection of appropriate models, but also suitable data preprocessing and tuning strategies. TSPredIT (Time Series Prediction with Integrated Tuning) is a framework that provides a seamless integration of data preprocessing, decomposition, model training, hyperparameter optimization, and evaluation. Unlike other frameworks, TSPredIT emphasizes the co-optimization of both preprocessing and modeling steps, improving predictive performance. It supports a variety of statistical and machine learning models, filtering techniques, outlier detection, data augmentation, and ensemble strategies. More information is available in Salles et al. <[doi:10.1007/978-3-662-68014-8\\_2](https://doi.org/10.1007/978-3-662-68014-8_2)>.

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**URL** <https://cefet-rj-dal.github.io/tspredit/>,  
<https://github.com/cefet-rj-dal/tspredit>

**BugReports** <https://github.com/cefet-rj-dal/tspredit/issues>

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---

`[.ts_data`*Subset Extraction for Time Series Data*

---

### Description

Extracts a subset of a time series object based on specified rows and columns. The function allows for flexible indexing and subsetting of time series data.

### Usage

```
## S3 method for class 'ts_data'  
x[i, j, drop = FALSE]
```

### Arguments

<code>x</code>	ts_data object
<code>i</code>	row <code>i</code> or linear index when a single subscript is supplied
<code>j</code>	column <code>j</code>
<code>drop</code>	Ignored. <code>ts_data</code> always preserves matrix structure.

### Value

A new `ts_data` object with preserved metadata and column names.

### Examples

```
data(tsd)  
data10 <- ts_data(tsd$y, 10)  
ts_head(data10)  
#single line  
data10[12,]  
  
#range of lines  
data10[12:13,]  
  
#single column  
data10[,1]  
  
#range of columns  
data10[,1:2]  
  
#range of rows and columns  
data10[12:13,1:2]  
  
#single line and a range of columns  
data10[12,1:2]  
  
#range of lines and a single column
```

```
data10[12:13,1]

#single observation
data10[12,1]
```

---

adjust_ts_data	<i>Adjust ts_data</i>
----------------	-----------------------

---

### Description

Convert a compatible dataset to a `ts_data` object by setting column names, class, and the `sw` attribute consistently.

### Usage

```
adjust_ts_data(data)
```

### Arguments

`data` Matrix or `data.frame` to adjust.

### Value

An adjusted `ts_data`.

---

adjust_ts_data_mv	<i>Adjust ts_data_mv</i>
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---

### Description

Restore the multivariate time-series metadata after subsetting or data manipulation.

### Usage

```
adjust_ts_data_mv(
  data,
  y,
  x = NULL,
  sw = 1,
  variables = NULL,
  lags = NULL,
  representation = c("aligned", "windowed")
)
```

**Arguments**

data	Matrix or data.frame.
y	Character scalar. Target variable name.
x	Character vector. Auxiliary variable names.
sw	Integer. Temporal width of the representation.
variables	Character vector. Variables represented in the object.
lags	Named list of lag positions per variable.
representation	Character. Either "aligned" or "windowed".

**Details**

This helper mirrors `adjust_ts_data()` from the univariate workflow. It preserves whether the multivariate object is aligned (`sw = 1`) or lagged (`sw > 1`).

**Value**

A `ts_data_mv` object.

---

bioenergy

*FAOSTAT Bioenergy Database*

---

**Description**

Bioenergy data from FAOSTAT. Data Type: Bioenergy consumption and production. Category: Environment. Creation Date 2024.

**Usage**

```
data(bioenergy)
```

**Format**

A list of time series.

**Details**

Series are named as `<country>_<bio_consumption|bio_production>` and contain annual values.

**Source**

[FAOSTAT Bioenergy Database](#)

**References**

FAO 2024. FAOSTAT Bioenergy, FAO, Rome, Italy. ; United Nations Statistics Division (UNSD), 2011; International Recommendations for Energy Statistics (IRES).

## Examples

```
# Load bioenergy list and plot one series
data(bioenergy)
# bioenergy <- loadfulldata(bioenergy)
series <- bioenergy[[1]]
ts.plot(series, ylab = "TJ", xlab = "Year", main = "Bioenergy example")
```

---

CATS

*CATS Time Series Competition*

---

## Description

Univariate time series from the CATS (Competition on Artificial Time Series) benchmark. Data Type: Artificial time series with missing blocks. Category: Benchmark. Observations: 5,000 (4,900 known, 100 missing). The dataset contains five non-consecutive blocks of 20 missing values each. Competitors were asked to predict these 100 unknown points, and performance was evaluated using MSE (E1 for all unknowns and E2 for the first 80 points).

## Usage

```
data(CATS)
```

## Format

A data frame with five columns and 980 rows. Each column represents a known segment of the time series.

## Details

The CATS benchmark contains artificial series with five nonconsecutive missing blocks of 20 points each. Models must impute or forecast the missing blocks; evaluation typically uses MSE over all missing points.

## Source

[CATS Time Series Competition](#)

## References

Lendasse, A., Oja, E., Simula, O., Verleysen, M., et al. (2004). *Time Series Prediction Competition: The CATS Benchmark*. In IJCNN'2004 - International Joint Conference on Neural Networks. Lendasse, A., Oja, E., Simula, O., Verleysen, M. (2007). *Time Series Prediction Competition: The CATS Benchmark*. Neurocomputing, 70(13-15), 2325–2329.

## Examples

```
# Load CATS dataset
data(CATS)
# CATS <- loadfulldata(CATS)
```

---

climate

*FAOSTAT Temperature Change on Land*

---

### Description

Statistics of surface temperature anomalies on land, based on NASA-GISS GISTEMP data. Data Type: Temperature Anomalies. Category: Environment. Creation Date 2024.

### Usage

```
data(climate)
```

### Format

A list of time series.

### Source

[NASA-GISS GISTEMP](#)

### References

FAO, 2024. FAOSTAT Land, Inputs and Sustainability; Climate Change Indicators; Temperature change on land. GISTEMP Team, 2024: GISS Surface Temperature Analysis. NASA Goddard Institute for Space Studies. Hansen, J. et al., 1981–2019: Multiple foundational studies on global temperature analysis.

### Examples

```
# Load climate list and plot one series
data(climate)
# climate <- loadfulldata(climate)
series <- climate[[1]]
ts.plot(series, ylab = "Temperature change (°C)", xlab = "Year",
        main = "Temperature change on land")
```

---

do\_fit

*Fit Time Series Model*

---

### Description

Generic for fitting a time series model. Descendants should implement `do_fit.<class>`.

### Usage

```
do_fit(obj, x, y = NULL)
```

**Arguments**

obj	Model object to be fitted.
x	Matrix or data.frame with input features.
y	Vector or matrix with target values.

**Value**

A fitted object (same class as obj).

---

do_predict	<i>Predict Time Series Model</i>
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---

**Description**

Generic for predicting with a fitted time series model. Descendants should implement `do_predict.<class>`.

**Usage**

```
do_predict(obj, x)
```

**Arguments**

obj	Fitted model object.
x	Matrix or data.frame with input features to predict.

**Value**

Numeric vector with predicted values.

---

emissions	<i>FAOSTAT Emissions Totals</i>
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---

**Description**

National and global estimates of greenhouse gas (GHG) emissions. Data Type: Greenhouse gas emissions. Category: Environment. Creation Date 2023.

**Usage**

```
data(emissions)
```

**Format**

A list of time series.

**Source**

FAOSTAT Emissions Totals.

**References**

FAO, 2023. FAOSTAT Climate Change: Agrifood systems emissions, Emissions Totals. IPCC Guidelines and Reports: 1996, 2000, 2006, 2014, 2019. PRIMAP-hist dataset v2.4.2: Gütschow et al., 2023.

**Examples**

```
# Load emissions list and plot one series
data(emissions)
# emissions <- loadfulldata(emissions)
series <- emissions[[1]]
ts.plot(series, ylab = "kt CO2e", xlab = "Year", main = "Emissions example (CH4/N2O)")
```

---

EUNITE.Loads

*EUNITE Competition – Half-Hourly Electrical Loads*

---

**Description**

Half-hourly electrical load time series from the EUNITE forecasting competition. Data Type: Electrical load measurements. Category: Benchmark. Observations: 730 days, 48 intervals per day. This dataset contains univariate time series with half-hour resolution covering 1997–1998. It was used to forecast daily maximum loads in January 1999. Competitors were evaluated using MAPE and MAXIMAL prediction errors. Regressors such as temperature and calendar variables were also provided.

**Usage**

```
data(EUNITE.Loads)
```

**Format**

A data frame with 730 rows and 48 numeric columns. Each column corresponds to one half-hour interval, from 00:00 to 24:00.

**Details**

The EUNITE competition focused on forecasting maximum daily electrical loads for January 1999 using half-hourly load profiles and auxiliary regressors. Series are provided in a wide format with 48 half-hour intervals as columns.

**Source**

EUNITE Competition 2001 dataset (original competition website currently unavailable).

## References

Chen, B.-J., Chang, M.-W., & Lin, C.-J. (2004). *Load forecasting using support vector machines: a study on EUNITE competition 2001*. IEEE Transactions on Power Systems, 19(4), 1821-1830.

## Examples

```
# Load the dataset
data(EUNITE.Loads)
# EUNITE.Loads <- loadfulldata(EUNITE.Loads)

# Inspect the first few half-hourly columns (00:00 to 24:00 by 30 minutes)
head(names(EUNITE.Loads))

# Plot a single half-hour interval across days
ts.plot(EUNITE.Loads[["X24.00"]], ylab = "Load (MW)", xlab = "Day",
        main = "EUNITE: Half-hour interval 24:00")
```

---

EUNITE.Reg

*EUNITE Competition – Regressors for Load Forecasting*

---

## Description

Daily holiday and weekday indicators used as regressors in the EUNITE load forecasting competition. Data Type: Categorical indicators. Category: Benchmark. Observations: 730 (1997–1998). This dataset provides binary holiday flags and weekday identifiers to support the prediction of daily maximum electrical loads. It complements the datasets [EUNITE.Loads](#) and [EUNITE.Temp](#). A test set with corresponding regressors for January 1999 is available.

## Usage

```
data(EUNITE.Reg)
```

## Format

A data frame with 730 rows and 3 columns:

**Holiday** Binary indicator (1 = holiday, 0 = regular day).

**Weekday** Integer encoding (1 = Sunday, ..., 7 = Saturday).

**split** Split into train and test

## Details

Regressors complement the load profiles by providing daily-level covariates (e.g., holidays and weekdays), which are known to improve forecast accuracy when used with temperature.

## Source

EUNITE Competition 2001 dataset (original competition website currently unavailable).

## References

Chen, B.-J., Chang, M.-W., & Lin, C.-J. (2004). *Load forecasting using support vector machines: a study on EUNITE competition 2001*. IEEE Transactions on Power Systems, 19(4), 1821-1830.

## Examples

```
# Load EUNITE regressors
data(EUNITE.Reg)
# EUNITE.Reg <- loadfulldata(EUNITE.Reg)

# Peek at the first rows
head(EUNITE.Reg)
```

---

EUNITE.Temp

*EUNITE Competition – Average Daily Temperatures*

---

## Description

Average daily temperatures collected for the EUNITE load-forecasting competition. Data Type: Meteorological measurements. Category: Benchmark. Observations: 1,461. The series covers 1995-1998 and was used as an exogenous regressor for predicting maximum daily electrical loads. Participants were asked to forecast January 1999 values.

## Usage

```
data(EUNITE.Temp)
```

## Format

A data frame with one numeric column and 1,461 rows (average daily temperature).

## Details

Daily temperatures are commonly used as exogenous variables for load forecasting due to strong weather dependence. This series aligns with the period covered by EUNITE.Loads.

## Source

EUNITE Competition 2001 dataset (original competition website currently unavailable).

## References

Chen, B.-J., Chang, M.-W., & Lin, C.-J. (2004). *Load forecasting using support vector machines: a study on EUNITE competition 2001*. IEEE Transactions on Power Systems, 19(4), 1821-1830.

## Examples

```
# Load daily temperature series
data(EUNITE.Temp)
# EUNITE.Temp <- loadfulldata(EUNITE.Temp)

# Plot temperature over time
ts.plot(EUNITE.Temp$Temperature, ylab = "Temperature (°C)", xlab = "Day",
        main = "EUNITE: Daily Temperature")
```

---

fertilizers

*FAOSTAT Fertilizers by Nutrient*

---

## Description

Statistics on agricultural use, production, and trade of chemical and mineral fertilizers. Data Type: Fertilizers use, production and trade. Category: Environment. Creation Date 2024.

## Usage

```
data(fertilizers)
```

## Format

A list of time series.

## Source

[FAOSTAT Fertilizers by Nutrient.](#)

## References

FAO, 2024. FAOSTAT: Fertilizers by Nutrient. FAO & UNSD (2017). System of Environmental-Economic Accounting for Agriculture, Forestry and Fisheries (SEEA AFF). UNSD (2017). Framework for the Development of Environment Statistics (FDES).

## Examples

```
# Load fertilizers list and plot one series
data(fertilizers)
# fertilizers <- loadfulldata(fertilizers)
series <- fertilizers[[1]]
ts.plot(series, ylab = "tonnes", xlab = "Year", main = "Fertilizers example")
```

---

gdp

*Gross Domestic Product and Agriculture Value Added*

---

### Description

Summary of global and regional trends in GDP and agriculture value. Data Type: macroeconomic indicators. Category: Economy. Creation Date 2024.

### Usage

```
data(gdp)
```

### Format

list of time series.

### Source

[FAOSTAT Macro Indicators Database](#)

### References

FAO. 2024. Gross domestic product and agriculture value added 2013–2022 – Global and regional trends. FAOSTAT Analytical Briefs, No. 85. Rome. [doi:10.4060/cd0763en](#)

### Examples

```
# Load GDP list and plot one series
data(gdp)
# gdp <- loadfulldata(gdp)
series <- gdp[[1]]
ts.plot(series, ylab = "US$", xlab = "Year", main = "GDP example")
```

---

ipeadata.d

*Ipea Daily Macroeconomic Dataset*

---

### Description

Daily economic time series from Ipea (Institute for Applied Economic Research, Brazil). Data Type: Macroeconomic indicators. Category: Public data. Observations: 901 to 8,154 per series, 12 series. This dataset contains the most requested time series provided by Ipea with daily frequency, including exchange rates, stock index, interest rates, imports and exports. The series span from 1962 to September 2017. Missing values were removed using `na.omit`. The last 30 observations are for test set.

**Usage**

```
data(ipeadata.d)
```

**Format**

A data frame with up to 8,154 rows and 12 columns. Each column corresponds to a different univariate daily time series.

**Details**

Contains daily macroeconomic indicators frequently used in empirical forecasting. Series are cleaned with `na.omit`.

**Source**

[Ipea - Ipeadata Portal](#), section "Most Requested Series", filtered by frequency "Daily".

**References**

Ipea (2017). *Ipeadata – Macroeconomic and Regional Data*. Technical Report. <http://www.ipeadata.gov.br>

**Examples**

```
# Load Ipea daily dataset and plot the first series
data(ipeadata.d)
# ipeadata.d <- loadfulldata(ipeadata.d)
series <- ipeadata.d[[1]]
ts.plot(series, ylab = "Value", xlab = "Day", main = "Ipea daily example")
```

---

ipeadata.m

*Ipea Monthly Macroeconomic Dataset*

---

**Description**

Monthly economic time series from Ipea (Institute for Applied Economic Research, Brazil). Data Type: Macroeconomic indicators. Category: Public data. Observations: 156 to 1019 per series, 23 series. This dataset contains the most requested time series provided by Ipea, including exchange rates, inflation indices, unemployment rates, interest rates, minimum wage, and GDP. The series span from 1930 to September 2017. Missing values were removed using `na.omit`. The last 12 observations are for testing set.

**Usage**

```
data(ipeadata.m)
```

**Format**

A data frame with up to 1019 rows and 23 columns. Each column corresponds to a different univariate monthly time series.

**Details**

Contains monthly macroeconomic indicators; the last 12 observations are intended as a test set.

**Source**

[Ipea - Ipeadata Portal](#), section "Most Requested Series", filtered by frequency "Monthly".

**References**

Ipea (2017). *Ipeadata – Macroeconomic and Regional Data*. Technical Report. <http://www.ipeadata.gov.br>

**Examples**

```
# Load Ipea monthly dataset and plot the first series
data(ipeadata.m)
# ipeadata.m <- loadfulldata(ipeadata.m)
series <- ipeadata.m[[1]]
ts.plot(series, ylab = "Value", xlab = "Month", main = "Ipea monthly example")
```

---

loadfulldata

*Load Full Dataset From Mini Data Object*

---

**Description**

Downloads and loads the full .RData object referenced by `attr(x, "url")` from a mini dataset object loaded from `data/`.

**Usage**

```
loadfulldata(x)
```

**Arguments**

`x` A mini dataset object that contains `attr(x, "url")`.

**Value**

The full dataset object loaded from the remote .RData file.

---

m1

*M1 Competition Time Series*

---

### Description

Time series data from the first Makridakis forecasting competition (M1), held in 1982. Data Type: Forecasting benchmark dataset. Category: Forecasting. Creation Date: 1982.

### Usage

```
data(m1)
```

### Format

A list of dataframes containing time series.

### Details

Consolidated list with frequencies as keys (e.g., monthly, quarterly, yearly). Each element is a list of series. See Makridakis et al. (1982) for competition design and evaluation.

### Source

[The accuracy of extrapolation \(time series\) methods: Results of a forecasting competition](#)

### References

Makridakis et al. (1982). The accuracy of extrapolation (time series) methods: Results of a forecasting competition. *Journal of Forecasting*, 1(2), 111–153.

### Examples

```
# Load consolidated M1 list
data(m1)
# m1 <- loadfulldata(m1)

# List available frequency keys
names(m1)

# Plot one series from a frequency bucket
series <- m1$monthly[[1]]
ts.plot(series, main = "M1 monthly series")
```

---

m3

*M3 Competition Time Series*

---

## Description

Time series data from the third Makridakis forecasting competition (M3), held in 2000. Data Type: Forecasting benchmark dataset. Category: Forecasting. Creation Date: 2000.

## Usage

```
data(m3)
```

## Format

A list of lists containing time series.

## Details

Consolidated list keyed by frequency (e.g., monthly, other, quarterly, yearly). Each holds a list of numeric vectors. See Makridakis & Hibon (2000) for competition results and implications.

## Source

[doi:10.1016/S01692070\(00\)000571](https://doi.org/10.1016/S01692070(00)000571)

## References

Makridakis and Hibon (2000). The M3-Competition: Results, conclusions and implications. *International Journal of Forecasting*, 16(4), 451–476.

## Examples

```
# Load consolidated M3 list and plot one monthly series
data(m3)
# m3 <- loadfulldata(m3)
series <- m3$monthly$M1
ts.plot(series, main = "M3 monthly series: M1")
```

---

m4	<i>M4 Competition Time Series</i>
----	-----------------------------------

---

### Description

Time series data from the fourth Makridakis forecasting competition (M4), held in 2018. Data Type: Forecasting benchmark dataset. Category: Forecasting. Creation Date: 2018.

### Usage

```
data(m4)
```

### Format

A list of lists containing time series.

### Details

Consolidated list keyed by frequency (e.g., daily, hourly, monthly, ...). Each holds a list of numeric vectors. See Makridakis et al. (2020) for an overview of M4 findings.

### Source

[M4 Competition - GitHub](#)

### References

Makridakis et al. (2020). The M4 Competition: Results, findings, conclusion and way forward. *International Journal of Forecasting*, 36(1), 54–74.

### Examples

```
# Load consolidated M4 list and plot one available series
data(m4)
# m4 <- loadfulldata(m4)
freq_name <- names(m4)[1]
series_name <- names(m4[[freq_name]])[1]
series <- m4[[freq_name]][[series_name]]
ts.plot(series, main = paste("M4", freq_name, "series:", series_name))
```

---

`MSE.ts`*MSE*

---

**Description**

Compute mean squared error (MSE) between actual and predicted values.

**Usage**

```
MSE.ts(actual, prediction)
```

**Arguments**

<code>actual</code>	Numeric vector of observed values.
<code>prediction</code>	Numeric vector of predicted values.

**Details**

$MSE = \text{mean}((\text{actual} - \text{prediction})^2)$ .

**Value**

Numeric scalar with the MSE.

---

`NN3`*NN3 Time Series Competition - Dataset A*

---

**Description**

Monthly time series from the NN3 forecasting competition. Data Type: Empirical business time series. Category: Benchmark. Observations: 50 to 126 per series, 111 series. The dataset contains 111 univariate monthly time series from real business processes. Each series has between 50 and 126 observations. Participants were asked to forecast the next 18 values, and performance was evaluated using the mean sMAPE across all series.

**Usage**

```
data(NN3)
```

**Format**

A data frame with up to 126 rows and 111 columns. Each column corresponds to a different univariate monthly time series.

## Details

NN3 comprises monthly business time series with varying lengths. Forecast accuracy is typically evaluated using sMAPE across a fixed holdout horizon.

## Source

[NN3 Time Series Forecasting Competition](#)

## References

Crone, S.F., Hibon, M., & Nikolopoulos, K. (2011). *Advances in forecasting with neural networks? Empirical evidence from the NN3 competition on time series prediction*. *International Journal of Forecasting*, 27(3), 635–660. NN3 Competition (2007). <http://www.neural-forecasting-competition.com/NN3/index.htm>

## Examples

```
# Load NN3 dataset
data(NN3)
# NN3 <- loadfulldata(NN3)

# Select one series by name and plot
series <- NN3[["NN3_111"]]
ts.plot(series, ylab = "Value", xlab = "Month", main = "NN3 example series")
```

---

NN5

*NN5 Time Series Competition*

---

## Description

Daily time series from the NN5 forecasting competition. Data Type: ATM withdrawal amounts. Category: Benchmark. Observations: 735 per series, 111 series. The dataset contains 111 univariate time series representing daily cash withdrawals from ATMs in England. Each series includes 735 observations and may contain missing values and multiple seasonal patterns. Participants were asked to forecast the next 56 values for each series, and performance was evaluated using the mean sMAPE across all series.

## Usage

```
data(NN5)
```

## Format

A data frame with 735 rows and 111 columns. Each column corresponds to a different univariate daily time series.

**Details**

NN5 consists of daily ATM withdrawal amounts with complex multiple seasonalities and occasional missing values. Forecasts are evaluated via sMAPE on a 56-day horizon.

**Source**

[NN5 Time Series Forecasting Competition](#)

**References**

Crone, S.F. (2008). *Results of the NN5 Time Series Forecasting Competition*. IEEE WCCI 2008, Hong Kong. NN5 Competition (2008). <http://www.neural-forecasting-competition.com/NN5/index.htm>

**Examples**

```
# Load NN5 dataset
data(NN5)
# NN5 <- loadfulldata(NN5)

# Select one series and plot
series <- NN5[["NN5.111"]]
ts.plot(series, ylab = "Withdrawals", xlab = "Day", main = "NN5 example series")
```

---

pesticides

*Pesticides Use Statistics*

---

**Description**

Statistics on the use of major pesticide groups and relevant chemical families. Data Type: pesticides use. Category: Environments. Creation Date 2024.

**Usage**

```
data(pesticides)
```

**Format**

A list of time series.

**Details**

Series are named by country with `_pesticides` suffix; values are annual usage amounts.

**Source**

[Pesticides Use Database](#)

## References

FAO. 2024. FAOSTAT: Pesticides Use. RP\_e\_README\_Domain\_Information\_2024. [FAOSTAT Pesticides Use Database](#)

## Examples

```
# Load pesticides list and plot one series
data(pesticides)
# pesticides <- loadfulldata(pesticides)
series <- pesticides[[1]]
ts.plot(series, ylab = "tonnes", xlab = "Year", main = "Pesticides example")
```

---

plot\_ts\_pred\_mv      *Plot Multivariate Forecast Paths*

---

## Description

Plot observed and forecast trajectories for the target series and auxiliary variables returned by the multivariate workflow.

## Usage

```
plot_ts_pred_mv(
  history,
  future = NULL,
  prediction,
  variable = NULL,
  label_x = "",
  label_y = "Value",
  color = "black",
  color_adjust = "blue",
  color_prediction = "green"
)
```

## Arguments

history	A <code>ts_data_mv</code> or <code>data.frame</code> with the observed history used as context for the plot.
future	Optional <code>ts_data_mv</code> or <code>data.frame</code> with the held-out aligned observations. When supplied, the observed future is shown together with the recursive predictions.
prediction	Multivariate forecast returned by <code>predict()</code> in the multivariate workflows. The target forecast is returned as a vector and the full system forecast is stored in attributes. Older list-based <code>ts_mv_prediction</code> objects are also accepted for compatibility.
variable	Optional character scalar. Name of a single variable to plot. When omitted, plots are returned for every variable in the prediction.

label_x	x-axis label.
label_y	y-axis label prefix. The variable name is appended when several plots are returned.
color	observed series color.
color_adjust	history color.
color_prediction	prediction color.

### Details

plot\_ts\_pred\_mv() extends the visual logic already used in the univariate examples. It reuses daltoolbox::plot\_ts\_pred() variable by variable and returns either:

- one plot when variable is provided
- a named list of plots when variable = NULL

The intended workflow is:

- fit a ts\_regs\_w\_mv model
- call predict(..., return\_all = TRUE)
- compare the predicted paths against the held-out aligned multivariate data

### Value

A single ggplot object or a named list of ggplot objects.

### Examples

```
library(daltoolbox)
data(tsd)
x1 <- c(tsd$y[-1], tail(tsd$y, 1))
x2 <- stats::filter(tsd$y, rep(1/3, 3), sides = 1)
x2[is.na(x2)] <- tsd$y[is.na(x2)]

mv <- ts_data_mv(data.frame(y = tsd$y, x1 = x1, x2 = as.numeric(x2)), y = "y")
samp <- ts_sample(mv, test_size = 5)

model <- ts_regs_w_mv(
  model_y = ts_mv_spec(ts_mlp(ts_norm_gminmax(), input_size = 4), variables = c("y", "x1", "x2")),
  models_x = list(
    x1 = ts_mv_spec(ts_arima()),
    x2 = ts_mv_spec(ts_rf(ts_norm_gminmax(), input_size = 4, ntree = 10), variables = c("x2", "y"))
  ),
  window_size = 5
)
model <- daltoolbox::fit(model, samp$train)
pred <- predict(model, steps_ahead = 5, return_all = TRUE)
plots <- plot_ts_pred_mv(samp$train, samp$test, pred)
```

---

R2.ts

*R2*


---

**Description**

Compute coefficient of determination (R-squared).

**Usage**

R2.ts(actual, prediction)

**Arguments**

actual	Numeric vector of observed values.
prediction	Numeric vector of predicted values.

**Details**

R-squared is computed as  $1 - SSE / SST$ , where SSE is the sum of squared residuals and SST is the total sum of squares around the mean of actual. If actual is constant, the statistic is undefined and NA\_real\_ is returned.

Interpretation:

- $R2 = 1$  means perfect predictions.
- $R2 = 0$  means the predictor is no better than always using mean(actual).
- $R2 < 0$  means the predictions are worse than that mean baseline.

In forecasting, negative R2 values are common when the horizon is difficult or when a recursive predictor accumulates error over several future steps.

**Value**

Numeric scalar with R-squared.

---

SantaFe.A

*Santa Fe Time Series Competition - Series A*


---

**Description**

Univariate time series A from the Santa Fe Time Series Competition. Data Type: Laser-generated nonlinear time series. Category: Benchmark. Observations: 1,100. This benchmark dataset consists of a low-dimensional nonlinear and stationary series recorded from a Far-Infrared-Laser in a chaotic regime. Competitors were asked to predict the last 100 observations, and performance was evaluated using NMSE.

**Usage**

```
data(SantaFe.A)
```

**Format**

A data frame with one column and 1,100 rows, containing numeric time series values.

**Details**

Series A is a classic nonlinear laser dataset used to assess forecasting methods under chaotic dynamics.

**Source**

Santa Fe Time Series Competition dataset (original archive URL unavailable).

**References**

Weigend, A.S. (1993). *Time Series Prediction: Forecasting the Future and Understanding the Past*. Reading, MA: Westview Press.

**Examples**

```
# Load Santa Fe A series and plot
data(SantaFe.A)
# SantaFe.A <- loadfulldata(SantaFe.A)
series <- SantaFe.A$V1
ts.plot(series, ylab = "Value", xlab = "Index", main = "Santa Fe A")
```

---

SantaFe.D

*Santa Fe Time Series Competition - Series D*

---

**Description**

Univariate time series D from the Santa Fe Time Series Competition. Data Type: Simulated nonlinear time series. Category: Benchmark. Observations: 100,500. This benchmark dataset is composed of a four-dimensional nonlinear and non-stationary series. Competitors were asked to predict the last 500 observations, and performance was evaluated using NMSE.

**Usage**

```
data(SantaFe.D)
```

**Format**

A data frame with one column and 100,500 rows, containing numeric time series values.

**Source**

Santa Fe Time Series Competition dataset (original archive URL unavailable).

**References**

Weigend, A.S. (1993). *Time Series Prediction: Forecasting the Future and Understanding the Past*. Reading, MA: Westview Press.

**Examples**

```
# Load Santa Fe D series and plot a subset
data(SantaFe.D)
# SantaFe.D <- loadfulldata(SantaFe.D)
series <- SantaFe.D$V1
ts.plot(series[1:2000], ylab = "Value", xlab = "Index", main = "Santa Fe D (first 2000)")
```

---

select\_hyper.ts\_tune *Select Optimal Hyperparameters for Time Series Models*

---

**Description**

Identifies the optimal hyperparameters by minimizing the error from a dataset of hyperparameters. The function selects the hyperparameter configuration that results in the lowest average error. It wraps the dplyr library.

**Usage**

```
## S3 method for class 'ts_tune'
select_hyper(obj, hyperparameters)
```

**Arguments**

obj                    a ts\_tune object containing the model and tuning settings  
hyperparameters       hyperparameters dataset

**Value**

returns the optimized key number of hyperparameters

---

sMAPE.ts

*sMAPE*


---

**Description**

Compute symmetric mean absolute percent error (sMAPE).

**Usage**

```
sMAPE.ts(actual, prediction)
```

**Arguments**

actual	Numeric vector of observed values.
prediction	Numeric vector of predicted values.

**Details**

$sMAPE = \text{mean}(|a - p| / ((|a| + |p|)/2))$ , excluding zero denominators.

**Value**

Numeric scalar with the sMAPE.

**References**

- S. Makridakis and M. Hibon (2000). The M3-Competition: results, conclusions and implications. *International Journal of Forecasting*, 16(4).

---

stocks

*IBOVESPA's 50 Most Traded Stocks*


---

**Description**

Historical daily data for the 50 most traded stocks in B3 (IBOVESPA), including opening, high, low, and closing prices, as well as trading volume. Data Type: Financial Time Series. Category: Finance. Creation Date: 2025.

**Usage**

```
data(stocks)
```

**Format**

A list of dataframes containing time series.

## Details

Each entry is a data frame with columns date, open, high, low, close, and volume.

## Source

[B3](#)

## References

B3 - Brasil, Bolsa, Balcão. 2025. Historical stock trading data. [B3 Official Website](#)

## Examples

```
# Load stocks list and plot closing prices for a ticker (if present)
data(stocks)
# stocks <- loadfulldata(stocks)
if ("VALE3" %in% names(stocks)) {
  series <- stocks$VALE3$close
  ts.plot(series, ylab = "Close", xlab = "Index", main = "VALE3 close price")
}
```

---

ts\_arima

*ARIMA*

---

## Description

Create a time series prediction object based on the AutoRegressive Integrated Moving Average (ARIMA) family.

This constructor sets up an S3 time series regressor that leverages the forecast package to either automatically select orders via `auto.arima()` or fit a user-specified (p, d, q) structure, and provide one-step and multi-step forecasts.

## Usage

```
ts_arima(p = NULL, d = NULL, q = NULL)
```

## Arguments

p	Optional integer autoregressive order. Leave NULL to let <code>auto.arima()</code> choose it.
d	Optional integer differencing order. Leave NULL to let <code>auto.arima()</code> choose it.
q	Optional integer moving-average order. Leave NULL to let <code>auto.arima()</code> choose it.

## Details

ARIMA models combine autoregressive (AR), differencing (I), and moving average (MA) components to model temporal dependence in a univariate time series. The `fit()` method uses `forecast::auto.arima()` to select orders using information criteria when `p`, `d`, and `q` are left as `NULL`; otherwise it fits the user-specified order directly. `predict()` supports both a single one-step-ahead over a horizon (rolling) and direct multi-step forecasting.

Assumptions include (after differencing) approximate stationarity and homoskedastic residuals. Always inspect residual diagnostics for adequacy.

## Value

A `ts_arma` object (S3), which inherits from `ts_reg`.

## References

- G. E. P. Box, G. M. Jenkins, G. C. Reinsel, and G. M. Ljung (2015). *Time Series Analysis: Forecasting and Control*. Wiley.
- R. J. Hyndman and Y. Khandakar (2008). Automatic time series forecasting: The forecast package for R. *Journal of Statistical Software*, 27(3), 1–22. doi:10.18637/jss.v027.i03

## Examples

```
# Example: rolling-origin evaluation with multi-step prediction
# Load package and dataset
library(daltoolbox)
library(tspredit)
data(tsd)

# 1) Wrap the raw vector as `ts_data` with `sw = 1`
ts <- ts_data(tsd$y, 1)
ts_head(ts, 3)

# 2) Split into train/test using the last 5 observations as test
samp <- ts_sample(ts, test_size = 5)

# 3) Fit a user-specified ARIMA(5,0,0)
model <- ts_arma(p = 5, d = 0, q = 0)
model <- daltoolbox::fit(model, x = samp$train)

# 4) Predict 5 steps ahead from the most recent observed point
prediction <- predict(model, x = samp$test[1,], steps_ahead = 5)
prediction <- as.vector(prediction)
output <- as.vector(samp$test)

# 5) Evaluate forecast accuracy
ev_test <- daltoolbox::evaluate(model, output, prediction)
ev_test
```

---

ts_arimax	<i>ARIMAX</i>
-----------	---------------

---

### Description

Create a target-centered multivariate regressor based on ARIMA with external regressors.

### Usage

```
ts_arimax(models_x = NULL, p = NULL, d = NULL, q = NULL)
```

### Arguments

models_x	Optional named list with one univariate model per auxiliary variable.
p	Optional integer autoregressive order. Leave NULL to let <code>auto.arima()</code> choose it.
d	Optional integer differencing order. Leave NULL to let <code>auto.arima()</code> choose it.
q	Optional integer moving-average order. Leave NULL to let <code>auto.arima()</code> choose it.

### Details

`ts_arimax()` is the singular multivariate counterpart of `ts_arima()`.

The model keeps one target variable  $y$  as the main forecasting objective and uses the aligned auxiliary variables  $x_1, \dots, x_n$  as regressors through the `xreg` mechanism of the `forecast` package.

This is the natural choice when the user thinks in the following way:

- there is one main series  $y$
- the remaining variables help explain or anticipate  $y$
- the primary output is the future path of  $y$

In other words, `ts_arimax()` is a target-centered multivariate model, not a symmetric system model like `ts_var()`.

For multi-step forecasting, future auxiliary values can be supplied directly or generated by the auxiliary univariate models stored in `models_x`.

This makes `ts_arimax()` a natural member of the new `ts_reg_mv` branch:

- the target forecast remains central
- the aligned multivariate system is still available when `return_all = TRUE`
- auxiliary series can be modeled separately when their future path is not known beforehand

The current implementation follows the same philosophy as `ts_arima()`:

- if  $p$ ,  $d$ , and  $q$  are supplied, fit that specific order
- otherwise use `forecast::auto.arima()` on the target with `xreg`

This keeps the singular multivariate branch consistent with the existing raw univariate branch of the package.

**Value**

A ts\_arimax object inheriting from ts\_reg\_mv.

**References**

- Box GEP, Jenkins GM, Reinsel GC, Ljung GM (2015). Time Series Analysis: Forecasting and Control. Wiley.
- Hyndman RJ, Athanasopoulos G (2021). Forecasting: Principles and Practice. Third Edition. OTexts. <https://otexts.com/fpp3/>

**Examples**

```
data(tsd)
x1 <- c(tsd$y[-1], tail(tsd$y, 1))
x2 <- stats::filter(tsd$y, rep(1/3, 3), sides = 1)
x2[is.na(x2)] <- tsd$y[is.na(x2)]

mv <- ts_data_mv(data.frame(y = tsd$y, x1 = x1, x2 = as.numeric(x2)), y = "y")
samp <- ts_sample(mv, test_size = 5)

model <- ts_arimax(models_x = list(x1 = ts_arima(), x2 = ts_arima()))
model <- daltoolbox::fit(model, samp$train)
predict(model, steps_ahead = 5)
```

---

ts_aug_awareness	<i>Augmentation by Awareness</i>
------------------	----------------------------------

---

**Description**

Bias the augmentation to emphasize more recent points in each window (recency awareness), increasing their contribution to the augmented sample.

**Usage**

```
ts_aug_awareness(factor = 1)
```

**Arguments**

factor                    Numeric factor controlling the recency weighting.

**Value**

A ts\_aug\_awareness object.

**References**

- Q. Wen et al. (2021). Time Series Data Augmentation for Deep Learning: A Survey. IJCAI Workshop on Time Series.

## Examples

```
# Recency-aware augmentation over sliding windows
# Load package and example dataset
library(daltoolbox)
library(tspredit)
data(tsd)

# Convert to 10-lag sliding windows and preview
xw <- ts_data(tsd$y, 10)
ts_head(xw)

# Apply awareness augmentation (bias toward recent rows)
augment <- ts_aug_awareness()
augment <- daltoolbox::fit(augment, xw)
xa <- transform(augment, xw)
ts_head(xa)
```

---

ts\_aug\_awaresmooth      *Augmentation by Awareness Smooth*

---

## Description

Recency-aware augmentation that also progressively smooths noise before applying the weighting, producing cleaner augmented samples.

## Usage

```
ts_aug_awaresmooth(factor = 1)
```

## Arguments

factor                  Numeric factor controlling the recency weighting.

## Value

A ts\_aug\_awaresmooth object.

## References

- Q. Wen et al. (2021). Time Series Data Augmentation for Deep Learning: A Survey. IJCAI Workshop on Time Series.

## Examples

```
# Recency-aware augmentation with progressive smoothing
# Load package and example dataset
library(daltoolbox)
library(tspredit)
data(tsd)
```

```
# Convert to 10-lag sliding windows and preview
xw <- ts_data(tsd$y, 10)
ts_head(xw)

# Apply awareness+smooth augmentation and inspect result
augment <- ts_aug_awaresmooth()
augment <- daltoolbox::fit(augment, xw)
xa <- transform(augment, xw)
ts_head(xa)
```

---

ts\_aug\_flip

*Augmentation by Flip*

---

## Description

Time series augmentation by mirroring sliding-window observations around their mean to increase diversity and reduce overfitting.

## Usage

```
ts_aug_flip()
```

## Details

This transformation preserves the window mean while flipping the deviations, effectively generating a symmetric variant of the local pattern.

## Value

A `ts_aug_flip` object.

## References

- Q. Wen et al. (2021). Time Series Data Augmentation for Deep Learning: A Survey. IJCAI Workshop on Time Series.

## Examples

```
# Flip augmentation around the window mean
# Load package and example dataset
library(daltoolbox)
library(tspreedit)
data(tsd)

# Convert to sliding windows and preview
xw <- ts_data(tsd$y, 10)
ts_head(xw)
```

```
# Apply flip augmentation and inspect augmented windows
augment <- ts_aug_flip()
augment <- daltoolbox::fit(augment, xw)
xa <- transform(augment, xw)
ts_head(xa)
```

---

ts\_aug\_jitter

*Augmentation by Jitter*

---

## Description

Time series augmentation by adding low-amplitude random noise to each point to increase robustness and reduce overfitting.

## Usage

```
ts_aug_jitter()
```

## Details

Noise scale is estimated from within-window deviations.

## Value

A ts\_aug\_jitter object.

## References

- J. T. Um et al. (2017). Data augmentation of wearable sensor data for Parkinson's disease monitoring using convolutional neural networks.
- Q. Wen et al. (2021). Time Series Data Augmentation for Deep Learning: A Survey. IJCAI Workshop on Time Series.

## Examples

```
# Jitter augmentation with noise estimated from windows
# Load package and example dataset
library(daltoolbox)
library(tspreedit)
data(tsd)

# Convert to sliding windows and preview
xw <- ts_data(tsd$y, 10)
ts_head(xw)

# Apply jitter (adds small noise; keeps target column unchanged)
augment <- ts_aug_jitter()
augment <- daltoolbox::fit(augment, xw)
xa <- transform(augment, xw)
ts_head(xa)
```

---

ts\_aug\_none

*No Augmentation*

---

### Description

Identity augmentation that returns the original windows while preserving the augmentation interface and indices.

### Usage

```
ts_aug_none()
```

### Value

A ts\_aug\_none object.

### Examples

```
# Identity augmentation (no changes to windows)
# Load package and example dataset
library(daltoolbox)
library(tspredit)
data(tsd)

# Convert to sliding windows and preview
xw <- ts_data(tsd$y, 10)
ts_head(xw)

# No augmentation; returns the same windows with indices preserved
augment <- ts_aug_none()
augment <- daltoolbox::fit(augment, xw)
xa <- transform(augment, xw)
ts_head(xa)
```

---

ts\_aug\_shrink

*Augmentation by Shrink*

---

### Description

Decrease within-window deviation magnitude by a scaling factor to generate lower-variance variants while preserving the mean.

### Usage

```
ts_aug_shrink(scale_factor = 0.8)
```

**Arguments**

scale\_factor    Numeric factor used to scale deviations.

**Value**

A ts\_aug\_shrink object.

**References**

- Q. Wen et al. (2021). Time Series Data Augmentation for Deep Learning: A Survey. IJCAI Workshop on Time Series.

**Examples**

```
# Shrink augmentation reduces within-window deviations
# Load package and example dataset
library(daltoolbox)
library(tspredit)
data(tsd)

# Convert to sliding windows and preview
xw <- ts_data(tsd$y, 10)
ts_head(xw)

# Apply shrink augmentation and inspect augmented windows
augment <- ts_aug_shrink()
augment <- daltoolbox::fit(augment, xw)
xa <- transform(augment, xw)
ts_head(xa)
```

---

ts\_aug\_stretch                      *Augmentation by Stretch*

---

**Description**

Increase within-window deviation magnitude by a scaling factor to produce higher-variance variants.

**Usage**

```
ts_aug_stretch(scale_factor = 1.2)
```

**Arguments**

scale\_factor    Numeric factor used to scale deviations.

**Value**

A ts\_aug\_stretch object.

## References

- Q. Wen et al. (2021). Time Series Data Augmentation for Deep Learning: A Survey. IJCAI Workshop on Time Series.

## Examples

```
# Stretch augmentation increases within-window deviations
# Load package and example dataset
library(daltoolbox)
library(tspreedit)
data(tsd)

# Convert to sliding windows and preview
xw <- ts_data(tsd$y, 10)
ts_head(xw)

# Apply stretch augmentation and inspect augmented windows
augment <- ts_aug_stretch()
augment <- daltoolbox::fit(augment, xw)
xa <- transform(augment, xw)
ts_head(xa)
```

---

ts\_aug\_wormhole

*Augmentation by Wormhole*

---

## Description

Generate augmented windows by selectively replacing lag terms with older lagged values, creating plausible alternative trajectories.

## Usage

```
ts_aug_wormhole()
```

## Details

This combinatorial replacement preserves overall scale while introducing temporal permutations of lag content.

## Value

A ts\_aug\_wormhole object.

## References

- Q. Wen et al. (2021). Time Series Data Augmentation for Deep Learning: A Survey. IJCAI Workshop on Time Series.

**Examples**

```

# Wormhole augmentation replaces some lags with older values
# Load package and example dataset
library(daltoolbox)
library(tspredit)
data(tsd)

# Convert to sliding windows and preview
xw <- ts_data(tsd$y, 10)
ts_head(xw)

# Apply wormhole augmentation and inspect augmented windows
augment <- ts_aug_wormhole()
augment <- daltoolbox::fit(augment, xw)
xa <- transform(augment, xw)
ts_head(xa)

```

ts\_darima

*DARIMA***Description**

Create a delegated-differencing ARIMA-like regressor for the sliding-window workflow of `tspredit`.

**Usage**

```

ts_darima(
  preprocess = ts_norm_none(),
  input_size = NA,
  input_map = ts_lagmap(),
  intercept = TRUE
)

```

**Arguments**

<code>preprocess</code>	Preprocessing object. This is where delegated differencing and adaptive normalization usually live. Defaults to <code>ts_norm_none()</code> .
<code>input_size</code>	Integer. Number of lagged inputs used by the model.
<code>input_map</code>	Lag-selection strategy object created by <code>ts_lagmap()</code> .
<code>intercept</code>	Logical. Whether to include an intercept in the linear model fitted over the lagged inputs.

**Details**

`ts_darima()` is a univariate model in the `ts_regsw` lineage. It was designed as an elegant `tspredit` adaptation of classical ARIMA ideas to the supervised sliding-window world already used by the package.

The key design decision is that the integration component is delegated to the preprocessing pipeline rather than embedded inside the model itself. In practice, this means that:

- autoregressive structure is learned directly from lagged windows
- the  $d$  of the ARIMA logic is handled by preprocessors such as `ts_norm_diff()` or `ts_norm_an()`
- multi-step forecasting reuses the standard recursive engine of `ts_regrsw`

This keeps the model computationally light and naturally compatible with the target-centered multivariate workflow, where each endogenous auxiliary variable may need its own univariate learner.

`ts_darima()` is therefore best understood as a `tspredict` adaptation, inspired by ARIMA but intentionally expressed in the package's own object-oriented pipeline.

In particular, the class is meant to be read together with the package's preprocessing abstractions:

- use `ts_norm_none()` when no integration-like step is desired
- use `ts_norm_diff()` when first differencing should be delegated to the pipeline
- use `ts_norm_an()` when an adaptive normalization view is preferred

## Value

A `ts_darima` object inheriting from `ts_regrsw`.

## References

- Box GEP, Jenkins GM, Reinsel GC, Ljung GM (2015). *Time Series Analysis: Forecasting and Control*. Wiley.
- Hyndman RJ, Athanasopoulos G (2021). *Forecasting: Principles and Practice*. Third Edition. OTexts. <https://otexts.com/fpp3/>
- Ogasawara E, Pereira ACM, Bernardes GFR, Brandão AAF, Albuquerque MP (2010). Adaptive normalization: A novel data normalization approach for non-stationary time series. *IJCNN*.

## Examples

```
data(tsd)

ts <- ts_data(tsd$y, 8)
samp <- ts_sample(ts, test_size = 5)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

model <- ts_darima(ts_norm_diff(), input_size = 5)
model <- daltoolbox::fit(model, io_train$input, io_train$output)

prediction <- predict(model, io_test$input[1, ], steps_ahead = 5)
prediction
```

---

ts_data	<i>ts_data</i>
---------	----------------

---

## Description

Construct a time series data object used throughout the DAL Toolbox.

Accepts either a vector (raw time series) or a matrix/data.frame already organized in sliding windows. Internally, a `ts_data` is stored as a matrix with `sw` lag columns named `t{lag}` (e.g., `t9`, `t8`, ..., `t0`). When `sw = 1`, the series is stored as a single column (`t0`).

## Usage

```
ts_data(y, sw = 1)
```

## Arguments

<code>y</code>	Numeric vector or matrix-like. Time series values or sliding windows.
<code>sw</code>	Integer. Sliding-window size (number of lag columns). Use <code>sw = 1</code> for the single-series representation and <code>sw &gt; 1</code> for lagged windows.

## Value

A `ts_data` object (matrix with attributes and column names).

## Examples

```
# Example: building sliding windows
data(tsd)
head(tsd)

# 1) Single-column ts_data (no windows)
data <- ts_data(tsd$y)
ts_head(data)

# 2) 10-lag sliding windows (t9 ... t0)
data10 <- ts_data(tsd$y, 10)
ts_head(data10)
```

ts\_data\_mv

*Multivariate Time Series Data***Description**

Construct a multivariate time-series object used throughout the target-centered multivariate workflow.

**Usage**

```
ts_data_mv(
  data,
  y = NULL,
  x = NULL,
  sw = 1,
  variables = NULL,
  lags = NULL,
  transforms = NULL
)
```

**Arguments**

data	data.frame or matrix with one column per variable and one row per time index. It can also be an existing ts_data_mv, in which case the stored metadata is reused by default.
y	Optional character scalar. Name of the target variable. When data already inherits from ts_data_mv, this defaults to the stored target name.
x	Optional character vector. Names of the auxiliary variables. By default, all columns except y are used.
sw	Integer. Temporal width of the representation. Use sw = 1 for aligned multivariate observations and sw > 1 for lagged windows.
variables	Optional character vector. Variables to include when sw > 1. By default, all variables stored in data are used.
lags	Optional named list with one integer vector per variable. When omitted, every variable uses all lags from 0:(sw-1).
transforms	Optional named list of raw-series transformations applied per variable before the lagged blocks are built. Each entry can be a single transform object or a list of transforms.

**Details**

ts\_data\_mv() follows the same design principle as ts\_data() in the univariate path:

- with sw = 1, it stores aligned multivariate observations
- with sw > 1, it materializes multivariate lagged windows

This keeps a single data abstraction for both the aligned and the lagged representations.

In aligned mode ( $sw = 1$ ):

- each row is a time instant
- each column is one variable

In lagged mode ( $sw > 1$ ):

- each row is a forecasting origin
- each variable contributes one lag block
- column names follow the pattern `var_tk`

Optional variables, lags, and transforms let the caller inspect a specific multivariate feature space while staying inside the `ts_data_mv` abstraction.

### Value

A `ts_data_mv` object.

### Examples

```
data(tsd)
x1 <- c(tsd$y[-1], tail(tsd$y, 1))
x2 <- stats::filter(tsd$y, rep(1/3, 3), sides = 1)
x2[is.na(x2)] <- tsd$y[is.na(x2)]

mv <- ts_data_mv(
  data.frame(y = tsd$y, x1 = x1, x2 = as.numeric(x2)),
  y = "y"
)
ts_head(mv, 3)

mv_sw <- ts_data_mv(mv, sw = 5)
ts_head(mv_sw, 3)
```

---

<code>ts_deterministic</code>	<i>Deterministic Univariate Predictor</i>
-------------------------------	---

---

### Description

Forecast a univariate series using a deterministic law of formation instead of a statistical learner.

### Usage

```
ts_deterministic(
  mode = c("periodic", "persist"),
  period = NULL,
  context_size = NULL
)
```

**Arguments**

mode	Character. Deterministic mode. Supported values are "periodic" and "persist".
period	Optional integer. Required when mode = "periodic".
context_size	Optional integer. Number of most recent values used to identify the next state in a periodic cycle. When omitted, the smallest non-ambiguous context is inferred from the learned cycle.

**Details**

ts\_deterministic() defines a small family of rule-based predictors that can operate either on raw time series or on sliding-window inputs.

The current deterministic modes are:

- "periodic": repeat a learned cycle of fixed length
- "persist": repeat the most recent observed value

This family is useful for variables whose future behavior is structurally determined, such as:

- day-of-week codes
- weekend indicators
- fixed operational calendars
- slowly changing auxiliary variables

Because the forecasting rule is deterministic, the same object can be used in two contexts:

- direct raw-series prediction, in the lineage of ts\_arima()
- sliding-window prediction, in the lineage of ts\_regs

In other words, ts\_deterministic() unifies both views for cases where the predictive mechanism is a rule, not a learner over lagged attributes.

**Value**

A ts\_deterministic object.

**Examples**

```
series <- c(4, 5, 6, 7, 1, 2, 3)
model <- ts_deterministic("periodic", period = 7)
model <- daltoolbox::fit(model, x = series)
predict(model, steps_ahead = 5)

sw <- ts_data(series, sw = 4)
io <- ts_projection(sw)
model <- daltoolbox::fit(ts_deterministic("persist"), io$input, io$output)
predict(model, io$input[1:2, ], steps_ahead = 1)
```

---

ts_elm	<i>ELM</i>
--------	------------

---

### Description

Create a time series prediction object that uses Extreme Learning Machine (ELM) regression.

It wraps the `elmNNRcpp` package to train single-hidden-layer networks with randomly initialized hidden weights and closed-form output weights.

### Usage

```
ts_elm(  
  preprocess = NA,  
  input_size = NA,  
  input_map = ts_lagmap(),  
  nhid = NA,  
  actfun = "purelin"  
)
```

### Arguments

<code>preprocess</code>	Normalization preprocessor (e.g., <code>ts_norm_gminmax()</code> ).
<code>input_size</code>	Integer. Number of lagged inputs used by the model.
<code>input_map</code>	Lag-selection strategy object created by <code>ts_lagmap()</code> .
<code>nhid</code>	Integer. Hidden layer size.
<code>actfun</code>	Character. One of 'sig', 'radbas', 'tribas', 'relu', 'purelin'.

### Details

ELMs are efficient to train and can perform well with appropriate hidden size and activation choice. Consider normalizing inputs and tuning `nhid` and the activation function.

### Value

A `ts_elm` object (S3) inheriting from `ts_regsw`.

### References

- G.-B. Huang, Q.-Y. Zhu, and C.-K. Siew (2006). Extreme Learning Machine: Theory and Applications. *Neurocomputing*, 70(1–3), 489–501.

**Examples**

```

# Example: ELM with sliding-window inputs
# Load package and toy dataset
library(daltoolbox)
library(tspredit)
data(tsd)

# Create sliding windows of length 10 (t9 ... t0)
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)

# Split last 5 rows as test set
samp <- ts_sample(ts, test_size = 5)
# Project to inputs (X) and outputs (y)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

# Define ELM with global min-max normalization and fit
imap <- ts_lagmap("acf")
model <- ts_elm(ts_norm_gminmax(), input_size = 4, input_map = imap,
  nhid = 3, actfun = "purelin")
model <- daltoolbox::fit(model, x = io_train$input, y = io_train$output)

# Forecast 5 steps ahead starting from the last known window
prediction <- predict(model, x = io_test$input[1,], steps_ahead = 5)
prediction <- as.vector(prediction)
output <- as.vector(io_test$output)

# Evaluate forecast error on the test horizon
ev_test <- daltoolbox::evaluate(model, output, prediction)
ev_test

```

---

ts\_fil\_ema

*Exponential Moving Average (EMA)*


---

**Description**

Smooth a series by exponentially decaying weights that give more importance to recent observations.

**Usage**

```
ts_fil_ema(ema = 3)
```

**Arguments**

ema                    exponential moving average size

**Details**

EMA is related to simple exponential smoothing; it reacts faster to level changes than a simple moving average while reducing noise.

**Value**

A ts\_fil\_ema object.

**References**

- C. C. Holt (1957). Forecasting trends and seasonals by exponentially weighted moving averages. O.N.R. Research Memorandum.

**Examples**

```
# Exponential moving average smoothing on a noisy series
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)

# Inject an outlier to illustrate smoothing effect
tsd$y[9] <- 2 * tsd$y[9]

# Define EMA filter, fit and transform the series
filter <- ts_fil_ema(ema = 3)
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# Compare original vs smoothed series
plot_ts_pred(y = tsd$y, yadj = y)
```

---

ts\_fil\_emd

*EMD Filter*

---

**Description**

Empirical Mode Decomposition (EMD) filter that decomposes a signal into intrinsic mode functions (IMFs) and reconstructs a smoothed component.

**Usage**

```
ts_fil_emd(noise = 0.1, trials = 5)
```

**Arguments**

noise	noise
trials	trials

**Value**

A ts\_fil\_emd object.

**References**

- N. E. Huang et al. (1998). The Empirical Mode Decomposition and the Hilbert Spectrum for nonlinear and non-stationary time series analysis. Proceedings of the Royal Society A.

**Examples**

```
# EMD-based smoothing: remove first IMF as noise
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2 * tsd$y[9] # inject an outlier

# Fit EMD filter and reconstruct without the first (noisiest) IMF
filter <- ts_fil_emd()
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# Compare original vs smoothed series
plot_ts_pred(y = tsd$y, yadj = y)
```

---

ts\_fil\_fft

*FFT Filter*

---

**Description**

Frequency-domain smoothing using the Fast Fourier Transform (FFT) to attenuate high-frequency components.

**Usage**

```
ts_fil_fft()
```

**Details**

The implementation keeps the lowest frequencies that explain most of the spectral energy and re-constructs the series from that low-pass spectrum.

**Value**

A ts\_fil\_fft object.

**References**

- J. W. Cooley and J. W. Tukey (1965). An algorithm for the machine calculation of complex Fourier series. Math. Comput.

**Examples**

```
# Frequency-domain smoothing via FFT low-pass reconstruction
# Load package and example data
library(daltoolbox)
library(tspredit)
x <- seq(0, 4 * pi, length.out = 128)
y <- sin(x) + 0.25 * sin(12 * x)

# Fit FFT-based filter and reconstruct the low-frequency signal
filter <- ts_fil_fft()
filter <- daltoolbox::fit(filter, y)
yhat <- transform(filter, y)

# Compare original vs frequency-smoothed series
plot_ts_pred(y = y, yadj = yhat)
```

ts\_fil\_hp

*Hodrick-Prescott Filter***Description**

Decompose a series into trend and cyclical components using the Hodrick–Prescott (HP) filter and optionally blend with the original series.

This filter removes short-term fluctuations by penalizing changes in the growth rate of the trend component.

**Usage**

```
ts_fil_hp(lambda = 100, preserve = 0.9)
```

**Arguments**

lambda	It is the smoothing parameter of the Hodrick-Prescott filter. $\text{Lambda} = 100 * (\text{frequency})^2$ Correspondence between frequency and lambda values annual => frequency = 1 // lambda = 100 quarterly => frequency = 4 // lambda = 1600 monthly => frequency = 12 // lambda = 14400 weekly => frequency = 52 // lambda = 270400 daily (7 days a week) => frequency = 365 // lambda = 13322500 daily (5 days a week) => frequency = 252 // lambda = 6812100
preserve	value between 0 and 1. Balance the composition of observations and applied filter. Values close to 1 preserve original values. Values close to 0 adopts HP filter values.

**Details**

The filter strength is governed by  $\text{lambda} = 100 * \text{frequency}^2$ . Use preserve in (0, 1] to convexly combine the raw series and the HP trend.

**Value**

A ts\_fil\_hp object.

**References**

- R. J. Hodrick and E. C. Prescott (1997). Postwar U.S. business cycles: An empirical investigation. *Journal of Money, Credit and Banking*, 29(1).

**Examples**

```
# time series with noise
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2*tsd$y[9]

# filter
filter <- ts_fil_hp(lambda = 100*(26)^2) #frequency assumed to be 26
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# plot
plot_ts_pred(y=tsd$y, yadj=y)
```

---

ts\_fil\_kalman

*Kalman Filter*

---

**Description**

Estimate a latent trend via a state-space model using the Kalman Filter (KF), wrapping the KFAS package.

**Usage**

```
ts_fil_kalman(H = 0.1, Q = 1)
```

**Arguments**

- |   |   |
|---|---|
| H | variance or covariance matrix of the measurement noise. This noise pertains to the relationship between the true system state and actual observations. Measurement noise is added to the measurement equation to account for uncertainties or errors associated with real observations. The higher this value, the higher the level of uncertainty in the observations. |
| Q | variance or covariance matrix of the process noise. This noise follows a zero-mean Gaussian distribution. It is added to the equation to account for uncertainties or unmodeled disturbances in the state evolution. The higher this value, the greater the uncertainty in the state transition process.  |

**Value**

A ts\_fil\_kalman object.

**References**

- R. E. Kalman (1960). A new approach to linear filtering and prediction problems. *Journal of Basic Engineering*, 82(1), 35–45.

**Examples**

```
# State-space smoothing with Kalman Filter (KF)
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2 * tsd$y[9] # inject an outlier

# Fit KF (H = obs noise, Q = process noise) and transform
filter <- ts_fil_kalman()
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# Plot original vs KF-smoothed series
plot_ts_pred(y = tsd$y, yadj = y)
```

---

ts_fil_lowess	<i>LOWESS Smoothing</i>
---------------	-------------------------

---

**Description**

Locally Weighted Scatterplot Smoothing (LOWESS) fits local regressions to capture the primary trend while reducing noise and spikes.

**Usage**

```
ts_fil_lowess(f = 0.2)
```

**Arguments**

f smoothing parameter. The larger this value, the smoother the series will be. This provides the proportion of points on the plot that influence the smoothing.

**Value**

A ts\_fil\_lowess object.

**References**

- W. S. Cleveland (1979). Robust locally weighted regression and smoothing scatterplots. *Journal of the American Statistical Association*.

**Examples**

```
# time series with noise
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2*tsd$y[9]

# filter
filter <- ts_fil_lowess(f = 0.2)
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# plot
plot_ts_pred(y=tsd$y, yadj=y)
```

---

ts_fil_ma	<i>Moving Average (MA)</i>
-----------	----------------------------

---

**Description**

Smooth out fluctuations and reduce noise by averaging over a fixed-size rolling window.

**Usage**

```
ts_fil_ma(ma = 3)
```

**Arguments**

ma                    moving average size

**Details**

Larger windows produce smoother series but may lag turning points.

**Value**

A ts\_fil\_ma object.

**Examples**

```
# time series with noise
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2*tsd$y[9]

# filter
filter <- ts_fil_ma(3)
filter <- daltoolbox::fit(filter, tsd$y)
```

```
y <- transform(filter, tsd$y)

# plot
plot_ts_pred(y=tsd$y, yadj=y)
```

---

ts_fil_none	<i>No Filter</i>
-------------	------------------

---

### Description

Identity filter that returns the original series unchanged.

### Usage

```
ts_fil_none()
```

### Value

A ts\_fil\_none object.

### Examples

```
# Identity filter (returns original series)
# Load package and example series
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2 * tsd$y[9] # inject an outlier for comparison

# Fit identity filter and transform (no change expected)
filter <- ts_fil_none()
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# Plot original vs (identical) filtered series
plot_ts_pred(y = tsd$y, yadj = y)
```

---

ts_fil_qes	<i>Quadratic Exponential Smoothing</i>
------------	--

---

### Description

Double/triple exponential smoothing capturing level, trend, and optionally seasonality components.

### Usage

```
ts_fil_qes(gamma = FALSE)
```

**Arguments**

gamma                    If TRUE, enables the gamma seasonality component.

**Value**

A `ts_fil_qes` object. The transformed series is aligned to the input length and may contain leading NA values while the Holt-Winters state is being initialized.

**References**

- P. R. Winters (1960). Forecasting sales by exponentially weighted moving averages. *Management Science*.

**Examples**

```
# time series with noise
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2*tsd$y[9]

# filter
filter <- ts_fil_qes()
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# plot
plot_ts_pred(y=tsd$y, yadj=y)
```

---

<code>ts_fil_recursive</code>	<i>Recursive Filter</i>
-------------------------------	-------------------------

---

**Description**

Apply recursive linear filtering (ARMA-style recursion) to a univariate series or each column of a multivariate series. Useful for smoothing and mitigating autocorrelation.

**Usage**

```
ts_fil_recursive(filter)
```

**Arguments**

filter                    smoothing parameter. The larger the value, the greater the smoothing. The smaller the value, the less smoothing, and the resulting series shape is more similar to the original series.

**Value**

A ts\_fil\_recursive object.

**Examples**

```
# time series with noise
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2*tsd$y[9]

# filter
filter <- ts_fil_recursive(filter = 0.05)
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# plot
plot_ts_pred(y=tsd$y, yadj=y)
```

---

ts\_fil\_remd

*Robust EMD Filter*

---

**Description**

Ensemble/robust EMD-based denoising using CEEMD to separate noise-dominated IMFs and reconstruct the signal.

**Usage**

```
ts_fil_remd(noise = 0.1, trials = 5)
```

**Arguments**

noise	noise
trials	trials

**Value**

A ts\_fil\_remd object.

**References**

- Z. Wu and N. E. Huang (2009). Ensemble Empirical Mode Decomposition: a noise-assisted data analysis method. *Advances in Adaptive Data Analysis*.

### Examples

```
# time series with noise
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2*tsd$y[9]

# filter
filter <- ts_fil_remd()
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# plot
plot_ts_pred(y=tsd$y, yadj=y)
```

---

ts\_fil\_seas\_adj

*Seasonal Adjustment*

---

### Description

Remove the seasonal component from a time series while preserving level and trend, using STL decomposition.

### Usage

```
ts_fil_seas_adj(frequency = NULL)
```

### Arguments

**frequency**      Frequency of the time series. It is an optional parameter. It can be configured when the frequency of the time series is known.

### Value

A `ts_fil_seas_adj` object.

### References

- R. B. Cleveland, W. S. Cleveland, J. E. McRae, and I. Terpenning (1990). STL: A seasonal-trend decomposition procedure based on loess. *Journal of Official Statistics*, 6(1), 3–73.

### Examples

```
# Seasonal adjustment using STL at known frequency
# Load package and build a seasonal signal
library(daltoolbox)
library(tspredit)
x <- seq_len(120)
y <- x / 100 + sin(2 * pi * x / 12) + rnorm(120, sd = 0.05)
```

```
# Fit seasonal adjustment (set frequency if known) and transform
filter <- ts_fil_seas_adj(frequency = 12)
filter <- daltoolbox::fit(filter, y)
yhat <- transform(filter, y)

# Plot original vs seasonally adjusted series
plot_ts_pred(y = y, yadj = yhat)
```

---

ts\_fil\_ses

*Simple Exponential Smoothing*

---

### Description

Exponential smoothing focused on the level component, with optional extensions to trend/seasonality via Holt–Winters variants.

### Usage

```
ts_fil_ses(gamma = FALSE)
```

### Arguments

gamma            If TRUE, enables the gamma seasonality component.

### Value

A `ts_fil_ses` object. The transformed series is aligned to the input length and may contain a leading NA while the Holt-Winters state is being initialized.

### References

- R. G. Brown (1959). Statistical Forecasting for Inventory Control.

### Examples

```
# time series with noise
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2*tsd$y[9]

# filter
filter <- ts_fil_ses()
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# plot
plot_ts_pred(y=tsd$y, yadj=y)
```

---

`ts_fil_smooth`*Time Series Smooth*

---

**Description**

Remove or reduce randomness (noise) using a robust smoothing strategy that first mitigates outliers and then smooths residual variation.

**Usage**

```
ts_fil_smooth()
```

**Value**

A `ts_fil_smooth` object.

**Examples**

```
# Robust smoothing with iterative outlier mitigation
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2 * tsd$y[9] # inject an outlier

# Fit smoother and transform to reduce spikes/noise
filter <- ts_fil_smooth()
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# Compare original vs smoothed series
plot_ts_pred(y = tsd$y, yadj = y)
```

---

`ts_fil_spline`*Smoothing Splines*

---

**Description**

Fit a cubic smoothing spline to a time series for smooth trend extraction with a tunable roughness penalty.

**Usage**

```
ts_fil_spline(spar = NULL)
```

**Arguments**

spar                   smoothing parameter. When spar is specified, the coefficient of the integral of the squared second derivative in the fitting criterion (penalized log-likelihood) is a monotone function of spar.

**Value**

A ts\_fil\_spline object.

**References**

- P. Craven and G. Wahba (1978). Smoothing noisy data with spline functions. Numerische Mathematik.

**Examples**

```
# Smoothing splines with adjustable roughness penalty
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2 * tsd$y[9] # inject an outlier

# Fit spline smoother (spar controls smoothness) and transform
filter <- ts_fil_spline(spar = 0.5)
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# Compare original vs smoothed series
plot_ts_pred(y = tsd$y, yadj = y)
```

---

ts\_fil\_wavelet

*Wavelet Filter*


---

**Description**

Denoise a series using discrete wavelet transforms and selected wavelet families.

**Usage**

```
ts_fil_wavelet(filter = "haar")
```

**Arguments**

filter                   Available wavelet filters: 'haar', 'd4', 'la8', 'bl14', 'c6'.

**Value**

A ts\_fil\_wavelet object.

## References

- S. Mallat (1989). A Theory for Multiresolution Signal Decomposition: The Wavelet Representation. IEEE Transactions on Pattern Analysis and Machine Intelligence.

## Examples

```
# Denoising with discrete wavelets (optionally selecting best filter)
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)
tsd$y[9] <- 2 * tsd$y[9] # inject an outlier

# Fit wavelet filter ("haar" by default; can pass a list to select best)
filter <- ts_fil_wavelet()
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# Compare original vs wavelet-denoised series
plot_ts_pred(y = tsd$y, yadj = y)
```

---

ts\_fil\_winsor

*Winsorization of Time Series*


---

## Description

Apply Winsorization to limit extreme values by replacing them with nearer order statistics, reducing the influence of outliers.

## Usage

```
ts_fil_winsor()
```

## Value

A ts\_fil\_winsor object.

## References

- J. W. Tukey (1962). The future of data analysis. Annals of Mathematical Statistics. (Winsorization discussed in robust summaries.)

## Examples

```
# Winsorization: cap extreme values to reduce outlier impact
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)
```

```
tsd$y[9] <- 2 * tsd$y[9] # inject an outlier

# Fit Winsor filter and transform series
filter <- ts_fil_winsor()
filter <- daltoolbox::fit(filter, tsd$y)
y <- transform(filter, tsd$y)

# Plot original vs Winsorized series
plot_ts_pred(y = tsd$y, yadj = y)
```

---

ts_head	<i>Extract the First Observations from a ts_data Object</i>
---------	---

---

## Description

Return the first n observations from a `ts_data`.

## Usage

```
ts_head(x, n = 6L, ...)
```

## Arguments

x	ts_data object
n	number of rows to return
...	optional arguments

## Value

The first n observations of a `ts_data` (as a matrix/data.frame).

## Examples

```
data(tsd)
data10 <- ts_data(tsd$y, 10)
ts_head(data10)
```

---

ts_integtune	<i>Time Series Integrated Tune</i>
--------------	------------------------------------

---

### Description

Integrated tuning over input sizes, preprocessing, augmentation, and model hyperparameters for time series.

### Usage

```
ts_integtune(  
  input_size,  
  base_model,  
  folds = 10,  
  ranges = NULL,  
  preprocess = list(ts_norm_gminmax()),  
  augment = list(ts_aug_none())  
)
```

### Arguments

input_size	Integer vector. Candidate input window sizes.
base_model	Base model object for tuning.
folds	Integer. Number of cross-validation folds.
ranges	Named list of hyperparameter ranges to explore.
preprocess	List of preprocessing objects to compare.
augment	List of augmentation objects to apply during training.

### Value

A ts\_integtune object.

### References

Salles, R., Pacitti, E., Bezerra, E., Marques, C., Pacheco, C., Oliveira, C., Porto, F., Ogasawara, E. (2023). TSPredIT: Integrated Tuning of Data Preprocessing and Time Series Prediction Models. Lecture Notes in Computer Science.

### Examples

```
# Integrated search over input size, preprocessing and model hyperparameters  
library(daltoolbox)  
library(tspredit)  
data(tsd)  
  
# Build windows and split into train/test, then project to (X, y)  
ts <- ts_data(tsd$y, 10)
```

```

samp <- ts_sample(ts, test_size = 5)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

# Configure integrated tuning: ranges for input_size, ELM (nhid, actfun), and preprocessors
tune <- ts_integtune(
  input_size = 3:5,
  base_model = ts_elm(),
  ranges = list(nhid = 1:5, actfun = c('purelin')),
  preprocess = list(ts_norm_gminmax())
)

# Run search; augmentation (if provided) is applied during training internally
model <- daltoolbox::fit(tune, x = io_train$input, y = io_train$output)

# Forecast and evaluate on the held-out window
prediction <- predict(model, x = io_test$input[1,], steps_ahead = 5)
prediction <- as.vector(prediction)
output <- as.vector(io_test$output)

ev_test <- daltoolbox::evaluate(model, output, prediction)
ev_test

```

---

ts\_knn

*KNN Time Series Prediction*


---

## Description

Create a prediction object that uses the K-Nearest Neighbors regression for time series via sliding windows.

## Usage

```
ts_knn(preprocess = NA, input_size = NA, input_map = ts_lagmap(), k = NA)
```

## Arguments

preprocess	Normalization preprocessor (e.g., <code>ts_norm_gminmax()</code> ).
input_size	Integer. Number of lagged inputs.
input_map	Lag-selection strategy object created by <code>ts_lagmap()</code> .
k	Integer. Number of neighbors.

## Details

KNN regression predicts a value as the average (or weighted average) of the outputs of the  $k$  most similar windows in the training set. Similarity is computed in the feature space induced by lagged inputs. Consider normalization for distance-based methods.

**Value**

A ts\_knn object (S3) inheriting from ts\_regs.

**References**

- T. M. Cover and P. E. Hart (1967). Nearest neighbor pattern classification. *IEEE Transactions on Information Theory*, 13(1), 21–27.

**Examples**

```
# Example: distance-based regression on sliding windows
# Load tools and example series
library(daltoolbox)
library(tspredit)
data(tsd)

# Build 10-lag windows and preview a few rows
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)

# Split end of series as test and project (X, y)
samp <- ts_sample(ts, test_size = 5)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

# Define KNN regressor and fit (distance-based; normalization recommended)
model <- ts_knn(ts_norm_gminmax(), input_size = 4, input_map = ts_lagmap("pacf"), k = 3)
model <- daltoolbox::fit(model, x = io_train$input, y = io_train$output)

# Predict multiple steps ahead and evaluate
prediction <- predict(model, x = io_test$input[1,], steps_ahead = 5)
prediction <- as.vector(prediction)
output <- as.vector(io_test$output)

ev_test <- daltoolbox::evaluate(model, output, prediction)
ev_test
```

---

ts\_lagmap

*Lag Mapping for Sliding-Window Predictors*


---

**Description**

Configure how a sliding-window predictor chooses the input\_size lagged attributes that will be fed to the underlying regression model.

**Usage**

```
ts_lagmap(
  method = c("recent", "even", "geom", "acf", "pacf", "peaks", "seasonal",
            "acf_seasonal", "pacf_seasonal", "blocks", "mi", "mrmr"),
  seasonality = NULL,
  peak_basis = c("acf", "pacf"),
  block_radius = 1,
  bins = 8
)
```

**Arguments**

method	Character. Lag-selection strategy: "recent", "even", "geom", "acf", "pacf", "peaks", "seasonal", "acf_seasonal", "pacf_seasonal", "blocks", "mi", or "mrmr".
seasonality	Optional integer. Seasonal period used by the seasonal lag selectors. If NULL, an estimate is derived from the training series.
peak_basis	Character. Correlation profile used by "peaks" and "blocks": "acf" or "pacf".
block_radius	Integer. Radius around each selected center when method = "blocks".
bins	Integer. Number of quantile bins used by the mutual-information criteria.

**Details**

The lag mapper is fitted on the training data before the base predictor is trained. During `fit()`, the mapper stores a vector of selected lag columns. The default "recent" method reproduces the historical behavior of the package: it keeps the most recent `input_size` observations available in the sliding window.

When `ts_lagmap()` is used inside a `ts_regs` model, the mapper is fitted after the model preprocessor has transformed the training windows. So the selected positions refer to the representation actually seen by the backend, not necessarily to the raw pre-transform window geometry.

Correlation-based methods operate on the raw training series reconstructed from the input windows and aligned outputs. Supervised methods ("mi" and "mrmr") inspect the relationship between each lagged attribute and the training target.

**Value**

A `ts_lagmap` object.

**References**

- Box GEP, Jenkins GM, Reinsel GC, Ljung GM (2015). Time Series Analysis: Forecasting and Control. Fifth Edition. Wiley.
- Peng H, Long F, Ding C (2005). Feature selection based on mutual information criteria of max-dependency, max-relevance, and min-redundancy. *IEEE Transactions on Pattern Analysis and Machine Intelligence*, 27(8), 1226-1238. doi:10.1109/TPAMI.2005.159
- Leites J, Cerqueira V, Soares C (2024). Selecting time lags for time series forecasting: an empirical study. arXiv:2405.11237.

**Examples**

```

library(daltoolbox)
library(tspredit)
data(tsd)

ts <- ts_data(tsd$y, 10)
io <- ts_projection(ts)

mapper <- ts_lagmap(method = "pacf")
mapper <- daltoolbox::fit(mapper, io$input, io$output, input_size = 4)
mapper$lags
mapper$columns

```

ts\_lm\_mv

*Multivariate Linear Regression***Description**

Create a target-centered singular multivariate regressor based on `stats::lm`.

**Usage**

```
ts_lm_mv(models_x = NULL, formula = NULL, features = NULL)
```

**Arguments**

<code>models_x</code>	Optional named list with one univariate model per auxiliary variable.
<code>formula</code>	Optional regression formula. When omitted, the target variable from <code>ts_data_mv</code> is regressed on all auxiliary variables.
<code>features</code>	Optional character vector of feature names used when <code>formula</code> is <code>NULL</code> .

**Details**

`ts_lm_mv()` is a linear-regression member of the `ts_reg_mv` family.

It is inspired by the formula-based design already used in `daltoolbox`, but adapted to the aligned multivariate time-series abstraction of `tspredit`.

This makes it a very transparent baseline for the singular multivariate branch:

- the target variable remains explicit
- the auxiliary variables are declared in the formula
- the analyst can read the structural assumption directly from the model

The most common usage patterns are:

- provide a full formula such as  $y \sim x_1 + x_2$
- omit the formula and let the model regress  $y$  on all auxiliary variables

The target variable is forecast from the synchronized auxiliary variables. When future auxiliary values are not known, they can be generated by the univariate models supplied in `models_x`.

**Value**

A `ts_lm_mv` object inheriting from `ts_reg_mv`.

**References**

- Montgomery DC, Peck EA, Vining GG (2021). Introduction to Linear Regression Analysis. Wiley.

**Examples**

```
data(tsd)
x1 <- c(tsd$y[-1], tail(tsd$y, 1))
x2 <- stats::filter(tsd$y, rep(1/3, 3), sides = 1)
x2[is.na(x2)] <- tsd$y[is.na(x2)]

mv <- ts_data_mv(data.frame(y = tsd$y, x1 = x1, x2 = as.numeric(x2)), y = "y")
samp <- ts_sample(mv, test_size = 5)

model <- ts_lm_mv(
  models_x = list(x1 = ts_arima(), x2 = ts_arima()),
  formula = y ~ x1 + x2
)
model <- daltoolbox::fit(model, samp$train)
predict(model, steps_ahead = 5)
```

---

ts\_mlp

*MLP*

---

**Description**

Create a time series prediction object based on a Multilayer Perceptron (MLP) regressor.

It wraps the `nnet` package to train a single-hidden-layer neural network on sliding-window inputs. Use `ts_regsw` utilities to project inputs/outputs.

**Usage**

```
ts_mlp(
  preprocess = NA,
  input_size = NA,
  input_map = ts_lagmap(),
  size = NA,
  decay = 0.01,
  maxit = 1000
)
```

**Arguments**

preprocess	Normalization preprocessor (e.g., <code>ts_norm_gminmax()</code> ).
input_size	Integer. Number of lagged inputs used by the model.
input_map	Lag-selection strategy object created by <code>ts_lagmap()</code> .
size	Integer. Number of hidden neurons.
decay	Numeric. L2 weight decay (regularization) parameter.
maxit	Integer. Maximum number of training iterations.

**Details**

The MLP is a universal function approximator capable of learning non-linear mappings from lagged inputs to next-step values. For stability, consider normalizing inputs (e.g., `ts_norm_gminmax()`). Hidden size and weight decay control capacity and regularization respectively.

**Value**

A `ts_mlp` object (S3) inheriting from `ts_regrsw`.

**References**

- D. E. Rumelhart, G. E. Hinton, and R. J. Williams (1986). Learning representations by back-propagating errors. *Nature* 323, 533–536.
- W. N. Venables and B. D. Ripley (2002). *Modern Applied Statistics with S*. Fourth Edition. Springer. (for the `nnet` package)

**Examples**

```
# Example: MLP on sliding windows with min-max normalization
# Load package and dataset
library(daltoolbox)
library(tspredit)
data(tsd)
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)

samp <- ts_sample(ts, test_size = 5)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

# Prepare projection (X, y)
samp <- ts_sample(ts, test_size = 5)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

# Define and fit the MLP
imap <- ts_lagmap("even")
model <- ts_mlp(ts_norm_gminmax(), input_size = 4, input_map = imap,
  size = 4, decay = 0)
model <- daltoolbox::fit(model, x=io_train$input, y=io_train$output)
```

```

# Predict 5 steps ahead
prediction <- predict(model, x = io_test$input[1,], steps_ahead = 5)
prediction <- as.vector(prediction)
output <- as.vector(io_test$output)

# Evaluate
ev_test <- daltoolbox::evaluate(model, output, prediction)
ev_test

```

---

ts\_mv\_spec

*Multivariate Model Specification*


---

## Description

Wrap a univariate forecasting model so it can be orchestrated inside a multivariate workflow.

## Usage

```
ts_mv_spec(model, variables = NULL, lags = NULL, transforms = NULL)
```

## Arguments

model	Base model object. It can be a sliding-window regressor such as <code>ts_mlp()</code> or a raw-series model such as <code>ts_arima()</code> .
variables	Optional character vector. Variables used as predictors for this submodel. When omitted, defaults depend on the context: target model uses all variables, auxiliary models use their own variable.
lags	Optional named list with one integer vector per variable. When omitted, each variable uses all lags from $0:(\text{window\_size}-1)$ .
transforms	Optional named list of raw-series transformations applied per variable before the multivariate windows are built. Each entry can be a single transform object or a list of transforms. These transformations act as variable-specific feature engineering and are orchestrated by the multivariate wrapper.

## Details

`ts_mv_spec()` is the object-oriented contract that describes how one variable-specific predictive pipeline should be assembled inside `ts_regsw_mv()`.

Each specification can declare:

- `model`: the learner responsible for the variable
- `variables`: which synchronized series are allowed as inputs to this learner
- `lags`: which lag positions are extracted from each variable block
- `transforms`: optional raw-series transformations applied per variable before the multivariate windows are built

This design lets different variables use different forecasting strategies while preserving a single orchestration contract. For example:

- the target  $y$  may use `ts_lstm(ts_norm_an(), ...)`
- $x_1$  may use `ts_mlp(ts_norm_diff(), ...)`
- $x_2$  may use `ts_rf(ts_norm_gminmax(), ...)` plus a smoothing filter
- deterministic auxiliary variables may use `ts_deterministic()`, `ts_periodic()`, or `ts_persist()`

In other words, the multivariate layer coordinates the pipelines, but the behavior of each variable still lives inside its own object.

### Value

A `ts_mv_spec` object.

### Examples

```
spec_y <- ts_mv_spec(ts_mlp(ts_norm_gminmax()), variables = c("y", "x1"))
spec_x1 <- ts_mv_spec(ts_deterministic("periodic", period = 7), variables = "x1")
```

---

ts\_norm\_an

*Adaptive Normalization*

---

### Description

Transform data to a common scale while adapting to changes in distribution over time (optionally over a trailing window).

### Usage

```
ts_norm_an(
  outliers = outliers_boxplot(),
  nw = 0,
  average = c("mean", "ema"),
  operation = c("divide", "subtract", "softdivide", "asinh"),
  scale = c("sd", "mad", "none"),
  lambda = 1,
  epsilon = 1e-08
)
```

### Arguments

<code>outliers</code>	Indicate outliers transformation class. NULL can avoid outliers removal.
<code>nw</code>	integer: window size.
<code>average</code>	Character. Adaptive reference statistic: "mean" or "ema".
<code>operation</code>	Character. Adaptive normalization operator: "divide", "subtract", "softdivide", or "asinh".

scale	Character. Local scale estimator used by the hybrid operators: "sd", "mad", or "none".
lambda	Numeric. Weight assigned to the adaptive level term inside the hybrid reference scale.
epsilon	Numeric. Positive floor used to stabilize near-zero denominators and local scales.

## Details

ts\_norm\_an() supports a family of adaptive window-wise transformations:

- "divide" rescales a window by its adaptive reference level.
- "subtract" recenters the window by subtracting the adaptive reference level.
- "softdivide" computes a stabilized relative deviation:  $(x - \mu) / \sqrt{s^2 + (\lambda\mu)^2 + \epsilon^2}$ .
- "asinh" applies an inverse-hyperbolic-sine contrast around the adaptive reference level using the same stabilized scale.

The concrete operators are implemented in tsanutils(), while ts\_norm\_an() focuses on estimating the adaptive references and applying the chosen transformation consistently during fit, transform, and inverse transform.

In the current contract, the adaptive reference is estimated from the full supervised window passed to fit() or transform(). So when the input is a sliding window produced by ts\_data(), the terminal t0 position is part of the same window-wise reference used for the transformation.

The adaptive reference  $\mu$  is estimated either by a simple mean or by an exponentially weighted mean (average = "ema"). The hybrid operators additionally use a local scale estimate s based on either the standard deviation or the MAD.

## Value

A ts\_norm\_an object.

## References

- Ogasawara, E., Martinez, L. C., De Oliveira, D., Zimbrão, G., Pappa, G. L., Mattoso, M. (2010). Adaptive Normalization: A novel data normalization approach for non-stationary time series. Proceedings of the International Joint Conference on Neural Networks (IJCNN). doi:10.1109/IJCNN.2010.5596746
- Huber PJ (1964). Robust Estimation of a Location Parameter. Annals of Mathematical Statistics, 35(1), 73-101. doi:10.1214/aoms/1177703732
- Burbidge JB, Magee L, Robb AL (1988). Alternative Transformations to Handle Extreme Values of the Dependent Variable. Journal of the American Statistical Association, 83(401), 123-127.
- Bellemare MF, Wichman CJ (2020). Elasticities and the Inverse Hyperbolic Sine Transformation. Oxford Bulletin of Economics and Statistics, 82(1), 50-61. doi:10.1111/obes.12325

## Examples

```
# time series to normalize
library(daltoolbox)
library(tspredit)
data(tsd)

# convert to sliding windows
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)
summary(ts[,10])

# divisive adaptive normalization (default)
preproc <- ts_norm_an()
preproc <- daltoolbox::fit(preproc, ts)
tst <- transform(preproc, ts)
ts_head(tst, 3)

# subtractive adaptive normalization
preproc <- ts_norm_an(operation = "subtract")
preproc <- daltoolbox::fit(preproc, ts)
tst <- transform(preproc, ts)
ts_head(tst, 3)

# EMA-based soft division
preproc <- ts_norm_an(average = "ema", operation = "softdivide", scale = "mad")
preproc <- daltoolbox::fit(preproc, ts)
tst <- transform(preproc, ts)
ts_head(tst, 3)
```

---

ts\_norm\_diff

*First Differences*

---

## Description

Transform a series by first differences to remove level and highlight changes; normalization is then applied to the differenced series.

In sliding-window mode, this transformation reduces the window width by one: a window with columns  $t_9 \dots t_0$  becomes a differenced window with  $t_8 \dots t_0$  expressed as consecutive first differences. Any downstream lag selection must therefore be learned on the transformed representation.

## Usage

```
ts_norm_diff(outliers = outliers_boxplot())
```

## Arguments

`outliers`            Indicate outliers transformation class. NULL can avoid outliers removal.

**Value**

A ts\_norm\_diff object.

**References**

Salles, R., Assis, L., Guedes, G., Bezerra, E., Porto, F., Ogasawara, E. (2017). A framework for benchmarking machine learning methods using linear models for univariate time series prediction. Proceedings of the International Joint Conference on Neural Networks (IJCNN). doi:10.1109/IJCNN.2017.7966139

**Examples**

```
# Differencing + global min-max normalization
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)

# Convert to sliding windows and preview raw last column
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)
summary(ts[,10])

# Fit differencing preprocessor and transform; note one fewer lag column
preproc <- ts_norm_diff()
preproc <- daltoolbox::fit(preproc, ts)
tst <- transform(preproc, ts)
ts_head(tst, 3)
summary(tst[,9])
```

---

ts\_norm\_gminmax

*Global Min–Max Normalization*

---

**Description**

Rescale values so the global minimum maps to 0 and the global maximum maps to 1 over the training set.

**Usage**

```
ts_norm_gminmax(outliers = outliers_boxplot())
```

**Arguments**

outliers          Indicate outliers transformation class. NULL can avoid outliers removal.

**Details**

The same scaling is applied to inputs and inverted on predictions via `inverse_transform`.

**Value**

A ts\_norm\_gminmax object.

**References**

Ogasawara, E., Murta, L., Zimbrão, G., Mattoso, M. (2009). Neural networks cartridges for data mining on time series. Proceedings of the International Joint Conference on Neural Networks (IJCNN). doi:10.1109/IJCNN.2009.5178615

**Examples**

```
# Global min-max normalization across the full training set
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)

# Build 10-lag windows and preview raw scale
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)
summary(ts[,10])

# Fit global min-max and transform; inspect post-scale values
preproc <- ts_norm_gminmax()
preproc <- daltoolbox::fit(preproc, ts)
tst <- transform(preproc, ts)
ts_head(tst, 3)
summary(tst[,10])
```

---

ts\_norm\_none

*No Normalization*

---

**Description**

Identity transform that leaves data unchanged but aligns with the pre/post-processing interface.

**Usage**

```
ts_norm_none()
```

**Value**

A ts\_norm\_none object.

**Examples**

```
# Identity normalization (no scaling applied)
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)

# Convert to sliding windows
xw <- ts_data(tsd$y, 10)

# No data normalization – transform returns inputs unchanged
normalize <- ts_norm_none()
normalize <- daltoolbox::fit(normalize, xw)
xa <- transform(normalize, xw)
ts_head(xa)
```

---

ts_norm_swminmax	<i>Sliding-Window Min–Max Normalization</i>
------------------	---

---

**Description**

Create an object for normalizing each window by its own min and max, preserving local contrast while standardizing scales.

**Usage**

```
ts_norm_swminmax(outliers = outliers_boxplot())
```

**Arguments**

`outliers`            Indicate outliers transformation class. NULL can avoid outliers removal.

**Value**

A `ts_norm_swminmax` object.

**References**

Ogasawara, E., Murta, L., Zimbrão, G., Mattoso, M. (2009). Neural networks cartridges for data mining on time series. Proceedings of the International Joint Conference on Neural Networks (IJCNN). doi:10.1109/IJCNN.2009.5178615

**Examples**

```
# Per-window min-max normalization for sliding windows
# Load package and example data
library(daltoolbox)
library(tspredit)
data(tsd)
```

```
# Build 10-lag windows and preview raw scale
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)
summary(ts[,10])

# Fit per-window min-max and transform; inspect post-scale values
preproc <- ts_norm_swminmax()
preproc <- daltoolbox::fit(preproc, ts)
tst <- transform(preproc, ts)
ts_head(tst, 3)
summary(tst[,10])
```

---

ts\_periodic

*Periodic Deterministic Predictor*

---

## Description

Forecast a univariate series by repeating a learned periodic cycle.

## Usage

```
ts_periodic(period, context_size = NULL)
```

## Arguments

period	Integer. Cycle length to repeat.
context_size	Optional integer. Most recent values used to identify the next state within the cycle. When omitted, the smallest non-ambiguous value is inferred automatically.

## Value

A ts\_periodic object, inheriting from ts\_deterministic.

## Examples

```
series <- c(4, 5, 6, 7, 1, 2, 3)
model <- ts_periodic(7)
model <- daltoolbox::fit(model, x = series)
predict(model, steps_ahead = 5)
```

---

`ts_persist`*Persistence Deterministic Predictor*

---

**Description**

Forecast a univariate series by repeating its most recent observed value.

**Usage**

```
ts_persist()
```

**Value**

A `ts_persist` object, inheriting from `ts_deterministic`.

**Examples**

```
series <- c(10, 11, 11, 11)
model <- ts_persist()
model <- daltoolbox::fit(model, x = series)
predict(model, steps_ahead = 3)
```

---

`ts_projection`*Time Series Projection*

---

**Description**

Split a `ts_data` (sliding windows) into input features and output targets for modeling.

**Usage**

```
ts_projection(ts)
```

**Arguments**

`ts` Matrix or `data.frame` containing a `ts_data` representation.

**Details**

For a multi-column `ts_data`, returns all but the last column as inputs and the last column as the output. For a single-row matrix, returns `ts_data`-wrapped inputs/outputs preserving names and window size.

**Value**

A `ts_projection` object with two elements: `$input` and `$output`.

## Examples

```
# Setting up a ts_data and projecting (X, y)
# Load example dataset and create windows
data(tsd)
ts <- ts_data(tsd$y, 10)

io <- ts_projection(ts)

# Input data (features)
ts_head(io$input)

# Output data (target)
ts_head(io$output)
```

---

ts\_reg

*TSReg*

---

## Description

Base class for time series regression models that operate directly on time series (non-sliding-window specialization).

## Usage

```
ts_reg()
```

## Details

This class is intended to be subclassed by modeling backends that do not require the sliding-window interface. Methods such as `fit()`, `predict()`, and `evaluate()` dispatch on this class.

## Value

A `ts_reg` object (S3) to be extended by concrete models.

## Examples

```
# Abstract base class – instantiate concrete subclasses instead
# Examples: ts_mlp(), ts_rf(), ts_svm(), ts_arima()
```

---

 ts\_reg\_mv

*Target-Centered Multivariate Regression Base*


---

### Description

Base class for singular multivariate time-series models that operate on aligned observations (`sw = 1`).

### Usage

```
ts_reg_mv(models_x = NULL)
```

### Arguments

`models_x` Optional named list with one univariate model per auxiliary variable. These models are used to generate future paths for  $x_1, \dots, x_n$  when the target-centered model needs auxiliary forecasts along the horizon. They are not required when future auxiliary values are supplied directly at prediction time.

### Details

`ts_reg_mv()` is the multivariate counterpart of the raw-series branch of `tspredict`.

It is intended for models that consume aligned multivariate observations directly, without first materializing explicit lagged windows in `ts_data_mv(..., sw > 1)`.

This branch is appropriate when the multivariate relationship is naturally expressed at the aligned-observation level, for example:

- target-centered linear regression over synchronized covariates
- ARIMA with external regressors (ARIMAX)
- vector autoregression over the whole system

The design remains target-centered:

- the multivariate object still declares one target variable `y`
- `predict()` returns the forecast of `y` by default
- descendants may also expose the forecast path of the remaining variables when `return_all = TRUE`

Typical descendants are:

- `ts_arimax()`: target-centered dynamic regression with ARIMA errors
- `ts_lm_mv()`: target-centered multivariate linear regression
- `ts_var()`: vector autoregression, still exposed through a target-centered interface

The interface keeps a distinguished target variable `y`, but models may also return the forecast path of the remaining variables when requested.

**Value**

A `ts_reg_mv` object.

---

<code>ts_regsw</code>	<i>TRegSW</i>
-----------------------	---------------

---

**Description**

Base class for time series regression models built on sliding-window representations.

**Usage**

```
ts_regsw(preprocess = NA, input_size = NA, input_map = ts_lagmap())
```

**Arguments**

<code>preprocess</code>	Normalization preprocessor (e.g., <code>ts_norm_gminmax()</code> ).
<code>input_size</code>	Integer. Number of lagged inputs per example.
<code>input_map</code>	Lag-selection strategy object created by <code>ts_lagmap()</code> .

**Details**

This class provides helpers to map `ts_data` matrices into the input window expected by ML backends and to apply pre/post processing (e.g., normalization) consistently during fit and predict.

The preprocessing stage runs before `input_map` is fitted. So lag selection is learned on the transformed representation actually delivered to the backend model, not on the raw pre-transform window. This matters for preprocessors such as `ts_norm_diff()` that change the effective window geometry.

**Value**

A `ts_regsw` object (S3) to be extended by concrete models.

**Examples**

```
# Abstract base class for sliding-window regressors
# Use concrete subclasses such as ts_mlp(), ts_rf(), ts_svm(), ts_elm()
```

ts\_regs\_w\_mv

*Multivariate Sliding-Window Regressor***Description**

Orchestrate one target model and one auxiliary model per covariate, while reusing the existing univariate learners from `tspredict`.

**Usage**

```
ts_regs_w_mv(model_y, models_x, window_size = 30)
```

**Arguments**

<code>model_y</code>	A <code>ts_mv_spec</code> or a fitted-model constructor for the target variable.
<code>models_x</code>	Named list with one <code>ts_mv_spec</code> (or plain model object) per auxiliary variable.
<code>window_size</code>	Integer. Base window size available to each variable.

**Details**

`ts_regs_w_mv()` is the first multivariate forecasting orchestrator in `tspredict`. It keeps the package centered on a target variable  $y$ , while allowing every auxiliary variable  $x_1, \dots, x_n$  to be forecast by its own pipeline.

The workflow is:

1. store aligned multivariate observations in `ts_data_mv()`
2. define one `ts_mv_spec()` for  $y$
3. define one `ts_mv_spec()` for each  $x$
4. fit the composed system with `fit()`
5. forecast recursively with `predict(..., steps_ahead = h)`

The current implementation keeps a single `window_size` as the base temporal memory available to every variable. After that, each specification decides which variables and which lag positions are actually used by its learner.

This means the multivariate extension does not replace the existing univariate models. It reuses them as polymorphic building blocks.

Supported configurations in this first version:

- the target model must inherit from `ts_regs_w`
- auxiliary models may inherit from `ts_regs_w` or from `ts_reg`
- raw-series auxiliary models such as `ts_arima()` currently use only their own variable as input

The method returns the forecast of  $y$  as a numeric vector. The recursive path of  $y$  and all auxiliary predictions is attached to that vector as attributes, so the interface stays target-centered without discarding the system forecast.

**Value**

A `ts_regs_w_mv` object.

**Examples**

```
data(tsd)
x1 <- c(tsd$y[-1], tail(tsd$y, 1))
x2 <- stats::filter(tsd$y, rep(1/3, 3), sides = 1)
x2[is.na(x2)] <- tsd$y[is.na(x2)]

mv <- ts_data_mv(data.frame(y = tsd$y, x1 = x1, x2 = x2), y = "y")
samp <- ts_sample(mv, test_size = 5)

model <- ts_regs_w_mv(
  model_y = ts_mv_spec(
    ts_mlp(ts_norm_an(), input_size = 4, size = 4, decay = 0),
    variables = c("y", "x1", "x2"),
    transforms = list(y = ts_fil_ma(3))
  ),
  models_x = list(
    x1 = ts_mv_spec(ts_deterministic("periodic", period = 7)),
    x2 = ts_mv_spec(ts_deterministic("periodic", period = 7))
  ),
  window_size = 10
)

model <- daltoolbox::fit(model, samp$train)
predict(model, steps_ahead = 1)
predict(model, steps_ahead = 5)
pred <- predict(model, steps_ahead = 5)
attr(pred, "system")
```

---

 ts\_rf

*Random Forest*


---

**Description**

Create a time series prediction object that uses Random Forest regression on sliding-window inputs.

It wraps the `randomForest` package to fit an ensemble of decision trees.

**Usage**

```
ts_rf(
  preprocess = NA,
  input_size = NA,
  input_map = ts_lagmap(),
  nodesize = 1,
  ntree = 100,
  mtry = NULL
)
```

**Arguments**

preprocess	Normalization preprocessor (e.g., <code>ts_norm_gminmax()</code> ).
input_size	Integer. Number of lagged inputs used by the model.
input_map	Lag-selection strategy object created by <code>ts_lagmap()</code> .
nodesize	Integer. Minimum terminal node size.
ntree	Integer. Number of trees in the forest.
mtry	Integer. Number of variables randomly sampled at each split.

**Details**

Random Forests reduce variance by averaging many decorrelated trees. For tabular sliding-window features, they can capture nonlinearities and interactions without heavy feature engineering. Consider normalizing inputs for comparability across windows and tuning `mtry`, `ntree`, and `nodesize`. In recursive multi-step forecasting, very small forests can be unstable, so the default uses a moderately larger ensemble.

**Value**

A `ts_rf` object (S3) inheriting from `ts_regsw`.

**References**

- L. Breiman (2001). Random forests. *Machine Learning*, 45(1), 5–32.

**Examples**

```
# Example: sliding-window Random Forest
# Load tools and data
library(daltoolbox)
library(tspredit)
data(tsd)

# Turn series into 10-lag windows and preview
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)

# Train/test split and (X, y) projection
samp <- ts_sample(ts, test_size = 5)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

# Define Random Forest and fit
model <- ts_rf(ts_norm_gminmax(), input_size = 9,
              nodesize = 1, ntree = 100)
model <- daltoolbox::fit(model, x = io_train$input, y = io_train$output)

# Forecast multiple steps and assess error
prediction <- predict(model, x = io_test$input[1,], steps_ahead = 5)
prediction <- as.vector(prediction)
```

```
output <- as.vector(io_test$output)

ev_test <- daltoolbox::evaluate(model, output, prediction)
ev_test
```

---

ts\_sample

*Time Series Sample*


---

### Description

Split a time-series representation into train and test sets.

Extracts `test_size` rows from the end (minus an optional `offset`) as the test set. The remaining initial rows form the training set. The `offset` is useful to reproduce experiments with different forecast origins.

For sliding-window workflows, the most coherent usage is to materialize the lagged representation first and split it afterwards. This preserves the lag context required by the earliest rows of the test partition, mirroring the package's univariate forecasting examples.

### Usage

```
ts_sample(ts, test_size = 1, offset = 0)
```

### Arguments

<code>ts</code>	A <code>ts_data</code> or <code>ts_data_mv</code> object.
<code>test_size</code>	Integer. Number of rows in the test split (default = 1).
<code>offset</code>	Integer. Offset from the end before the test split (default = 0).

### Value

A list with `$train` and `$test` (both `ts_data`).

### Examples

```
# Setting up a ts_data and making a temporal split
# Load example dataset and build windows
data(tsd)
ts <- ts_data(tsd$y, 10)

# Separating into train and test
test_size <- 3
samp <- ts_sample(ts, test_size)

# First five rows from training data
ts_head(samp$train, 5)

# Last five rows from training data
ts_head(samp$train[-c(1:(nrow(samp$train)-5)),])
```

```
# Testing data
ts_head(samp$test)
```

---

ts\_svm

*SVM*


---

### Description

Create a time series prediction object that uses Support Vector Regression (SVR) on sliding-window inputs.

It wraps the `e1071` package to fit epsilon-insensitive regression with linear, radial, polynomial, or sigmoid kernels.

### Usage

```
ts_svm(
  preprocess = NA,
  input_size = NA,
  input_map = ts_lagmap(),
  kernel = c("radial", "linear", "polynomial", "sigmoid"),
  epsilon = 0,
  cost = 10
)
```

### Arguments

<code>preprocess</code>	Normalization preprocessor (e.g., <code>ts_norm_gminmax()</code> ).
<code>input_size</code>	Integer. Number of lagged inputs used by the model.
<code>input_map</code>	Lag-selection strategy object created by <code>ts_lagmap()</code> .
<code>kernel</code>	Character. One of 'linear', 'radial', 'polynomial', 'sigmoid'.
<code>epsilon</code>	Numeric. Epsilon-insensitive loss width.
<code>cost</code>	Numeric. Regularization parameter controlling margin violations.

### Details

SVR aims to find a function with at most epsilon deviation from each training point while being as flat as possible. The `cost` parameter controls the trade-off between margin width and violations; `epsilon` controls the insensitivity tube width. RBF kernels often work well for nonlinear series; tune `cost`, `epsilon`, and kernel hyperparameters.

### Value

A `ts_svm` object (S3) inheriting from `ts_regsw`.

## References

- C. Cortes and V. Vapnik (1995). Support-Vector Networks. *Machine Learning*, 20, 273–297.

## Examples

```
# Example: SVR with min-max normalization
# Load package and dataset
library(daltoolbox)
library(tspredit)
data(tsd)

# Create sliding windows and preview
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)

# Temporal split and (X, y) projection
samp <- ts_sample(ts, test_size = 5)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

# Define SVM regressor and fit to training data
model <- ts_svm(
  ts_norm_gminmax(),
  input_size = 4,
  input_map = ts_lagmap("seasonal", seasonality = 4)
)
model <- daltoolbox::fit(model, x = io_train$input, y = io_train$output)

# Multi-step forecast and evaluation
prediction <- predict(model, x = io_test$input[1,], steps_ahead = 5)
prediction <- as.vector(prediction)
output <- as.vector(io_test$output)

ev_test <- daltoolbox::evaluate(model, output, prediction)
ev_test
```

---

 ts\_tune

*Time Series Tune*


---

## Description

Create a `ts_tune` object for hyperparameter tuning of a time series model.

Sets up a cross-validated search over hyperparameter ranges and input sizes for a base model. Results include the evaluated configurations and the selected best configuration.

## Usage

```
ts_tune(input_size, base_model, folds = 10, ranges = NULL)
```

**Arguments**

input_size	Integer vector. Candidate input window sizes.
base_model	Base model object to tune (e.g., ts_elp()).
folds	Integer. Number of cross-validation folds.
ranges	Named list of hyperparameter ranges to explore.

**Value**

A ts\_tune object.

**References**

- R. Kohavi (1995). A study of cross-validation and bootstrap for accuracy estimation and model selection. IJCAI.
- Salles, R., Pacitti, E., Bezerra, E., Marques, C., Pacheco, C., Oliveira, C., Porto, F., Ogasawara, E. (2023). TSPredIT: Integrated Tuning of Data Preprocessing and Time Series Prediction Models. Lecture Notes in Computer Science.

**Examples**

```
# Example: grid search over input_size and ELM hyperparameters
# Load library and example data
library(daltoolbox)
library(tspredit)
data(tsd)

# Prepare 10-lag windows and split into train/test
ts <- ts_data(tsd$y, 10)
ts_head(ts, 3)
samp <- ts_sample(ts, test_size = 5)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

# Define tuning: vary input_size and ELM hyperparameters (nhid, actfun)
tune <- ts_tune(
  input_size = 3:5,
  base_model = ts_elp(ts_norm_gminmax()),
  ranges = list(nhid = 1:5, actfun = c('purelin'))
)

# Run CV-based search and get the best fitted model
model <- daltoolbox::fit(tune, x = io_train$input, y = io_train$output)

# Forecast and evaluate on the held-out horizon
prediction <- predict(model, x = io_test$input[1,], steps_ahead = 5)
prediction <- as.vector(prediction)
output <- as.vector(io_test$output)

ev_test <- daltoolbox::evaluate(model, output, prediction)
ev_test
```

---

ts_var	<i>Vector Autoregression</i>
--------	------------------------------

---

**Description**

Create a target-centered vector autoregression over aligned multivariate observations.

**Usage**

```
ts_var(target = NULL, p = NULL, p_max = 5, intercept = TRUE)
```

**Arguments**

target	Optional target variable name. When omitted, use the y attribute stored in ts_data_mv.
p	Optional lag order. When NULL, choose the order automatically.
p_max	Maximum lag order considered in the automatic search.
intercept	Logical. Whether to include an intercept in each equation.

**Details**

ts\_var() models the multivariate system directly, but keeps the tspredit interface centered on a distinguished target variable y.

This means:

- the full system is learned jointly
- predict() returns the target forecast by default
- predict(..., return\_all = TRUE) exposes the forecast path of all system variables

The current implementation uses ordinary least squares over lagged aligned observations and can choose the lag order automatically by minimizing AICc over 1:p\_max.

This makes ts\_var() conceptually different from ts\_arimax():

- ts\_arimax() treats the auxiliaries as regressors for one main target
- ts\_var() treats all variables as part of the dynamic system

Even so, tspredit still lets the user mark one variable as the main target for evaluation and default return behavior.

**Value**

A ts\_var object inheriting from ts\_reg\_mv.

**References**

- Lütkepohl H (2005). New Introduction to Multiple Time Series Analysis. Springer.
- Tsay RS (2014). Multivariate Time Series Analysis with R and Financial Applications. Wiley.

**Examples**

```

data(tsd)
x1 <- c(tsd$y[-1], tail(tsd$y, 1))
x2 <- stats::filter(tsd$y, rep(1/3, 3), sides = 1)
x2[is.na(x2)] <- tsd$y[is.na(x2)]

mv <- ts_data_mv(data.frame(y = tsd$y, x1 = x1, x2 = as.numeric(x2)), y = "y")
samp <- ts_sample(mv, test_size = 5)

model <- ts_var(p_max = 3)
model <- daltoolbox::fit(model, samp$train)
predict(model, steps_ahead = 5)

```

---

ts_warma	<i>WARMA</i>
----------	--------------

---

**Description**

Create a window-based ARMA-inspired regressor with local stepwise normalization for the `ts_regsw` workflow.

**Usage**

```

ts_warma(
  preprocess = ts_norm_none(),
  input_size = NA,
  input_map = ts_lagmap(),
  steps = NA,
  intercept = TRUE
)

```

**Arguments**

<code>preprocess</code>	External preprocessing object applied before the WARMA local steps. Defaults to <code>ts_norm_none()</code> .
<code>input_size</code>	Integer. Number of lagged inputs used by the model.
<code>input_map</code>	Lag-selection strategy object created by <code>ts_lagmap()</code> .
<code>steps</code>	Integer in $\{0, 1, 2\}$ or NA. When NA, infer the smallest suitable step automatically.
<code>intercept</code>	Logical. Whether to include an intercept in the linear model fitted over the locally normalized lagged inputs.

## Details

`ts_warma()` is a `tspremit` implementation inspired by the WARMA proposal: a window-based view of non-stationary series in which local preprocessing is interpreted in steps.

In this adaptation:

- step 0 leaves the local window unchanged
- step 1 subtracts the local mean of each window
- step 2 subtracts the local mean and scales by the local standard deviation

The implementation follows the package's sliding-window lineage, so it uses the fully overlapping window regime naturally induced by `ts_data(..., sw)` and `ts_regsw`. The resulting representation is then modeled with a linear regressor over the normalized lagged inputs.

This makes `ts_warma()` a computationally light competitor to `ts_darima()` and a practical univariate block for the multivariate target-centered workflow.

When `steps = NA`, the model chooses the smallest step in  $\{0, 1, 2\}$  whose locally transformed reconstructed series reaches integration order zero according to `forecast::ndiffs()`.

The current implementation should be understood as the `tspremit` interpretation of WARMA inside the package's object-oriented sliding-window pipeline. In other words, it is an adaptation aligned with `ts_regsw`, not a separate estimation framework detached from the rest of the library.

## Value

A `ts_warma` object inheriting from `ts_regsw`.

## References

- Box GEP, Jenkins GM, Reinsel GC, Ljung GM (2015). *Time Series Analysis: Forecasting and Control*. Wiley.
- Hyndman RJ, Athanasopoulos G (2021). *Forecasting: Principles and Practice*. Third Edition. OTexts. <https://otexts.com/fpp3/>
- Ogasawara E, Pereira ACM, Bernardes GFR, Brandão AAF, Albuquerque MP (2010). Adaptive normalization: A novel data normalization approach for non-stationary time series. *IJCNN*.
- Local WARMA manuscript used as implementation reference: [2026\\_04\\_SBBD\\_WARMA.pdf](#).

## Examples

```
data(tsd)

ts <- ts_data(tsd$y, 8)
samp <- ts_sample(ts, test_size = 5)
io_train <- ts_projection(samp$train)
io_test <- ts_projection(samp$test)

model <- ts_warma(input_size = 5, steps = NA)
model <- daltoolbox::fit(model, io_train$input, io_train$output)

prediction <- predict(model, io_test$input[1, ], steps_ahead = 5)
prediction
```

---

`tsanutils`*Adaptive Normalization Utilities*

---

## Description

Utility object that groups helper functions used by the adaptive normalization family implemented in `ts_norm_an()`.

## Usage

```
tsanutils()
```

## Details

These helpers separate the mathematical operators from the training flow of the preprocessor itself.

### Stabilization helpers

- `an_stabilize_level()` avoids unstable divisive normalization when the adaptive reference is close to zero.
- `an_reference_scale()` blends local dispersion and local level to create a smooth transition between additive and relative normalization regimes.

### Adaptive normalization operators

- `an_divide()` and `an_divide_inverse()` implement divisive adaptive normalization.
- `an_subtract()` and `an_subtract_inverse()` implement subtractive adaptive normalization.
- `an_softdivide()` and `an_softdivide_inverse()` implement the stabilized hybrid operator based on a blended reference scale.
- `an_asinh()` and `an_asinh_inverse()` implement the inverse-hyperbolic-sine adaptive contrast around the local reference level.

This organization makes it easier to keep `ts_norm_an()` readable and to compare operators as explicit members of the same adaptive-normalization family.

## Value

A `tsanutils` object exposing the helper functions.

## References

- Ogasawara, E., Martinez, L. C., De Oliveira, D., Zimbrão, G., Pappa, G. L., Mattoso, M. (2010). Adaptive Normalization: A novel data normalization approach for non-stationary time series. Proceedings of the International Joint Conference on Neural Networks (IJCNN). doi:10.1109/IJCNN.2010.5596746
- Huber PJ (1964). Robust Estimation of a Location Parameter. Annals of Mathematical Statistics, 35(1), 73-101. doi:10.1214/aoms/1177703732

Burbidge JB, Magee L, Robb AL (1988). Alternative Transformations to Handle Extreme Values of the Dependent Variable. *Journal of the American Statistical Association*, 83(401), 123-127.

Bellemare MF, Wichman CJ (2020). Elasticities and the Inverse Hyperbolic Sine Transformation. *Oxford Bulletin of Economics and Statistics*, 82(1), 50-61. doi:10.1111/obes.12325

## Examples

```
utils <- tsanutils()

center <- c(0.1, 2)
scale_value <- c(0.2, 0.5)
values <- c(0.15, 2.3)

utils$an_divide(list(epsilon = 1e-8), values, center, scale_value)
utils$an_softdivide(list(lambda = 1, epsilon = 1e-8), values, center, scale_value)
```

---

tsd

*Time series for forecasting examples*

---

## Description

A synthetic univariate time series used throughout the introductory `tspredict` examples.

- `x`: regular time index from 0 to 10.
- `y`: smooth sine-based signal used as the forecasting target.

## Usage

```
data(tsd)
```

## Format

A data frame with 100 rows and 2 columns:

- `x` Numeric time index.
- `y` Numeric response series used in forecasting demonstrations.

## Details

`tsd` is the smallest dataset distributed with `tspredict` and acts as the didactic entry point for the package. It is intentionally simple so the reader can focus on the mechanics of sliding windows, train/test splitting, preprocessing, and prediction workflows before moving to larger benchmark collections documented in `R/tspredbench.R`, including `EUNITE.Loads`, `EUNITE.Reg`, `EUNITE.Temp`, `ipeadata.d`, `ipeadata.m`, `NN3`, `NN5`, `CATS`, `SantaFe.A`, `SantaFe.D`, `bioenergy`, `climate`, `emissions`, `fertilizers`, `gdp`, `m1`, `m3`, `m4`, `pesticides`, and `stocks`.

**Source**

Generated for package documentation and examples.

**Examples**

```
# Load dataset and inspect the first rows
data(tsd)
head(tsd)

# Plot the target series used in the examples
ts.plot(tsd$y, ylab = "Value", xlab = "Index", main = "Synthetic example series")
```

---

tslagutils

*Time Series Lag Utilities*

---

**Description**

Utility object that groups helper functions used to select lag subsets for sliding-window predictors.

**Usage**

```
tslagutils()
```

**Details**

These helpers are organized by the type of evidence they use to choose lags.

**Positional mappings**

- `lag_recent()` keeps the most recent lags and reproduces the package's original behavior.
- `lag_even()` spreads the selected lags evenly across the available window.
- `lag_geom()` emphasizes recent lags while still sampling older history on a geometric scale.

**Correlation-driven mappings**

- `lag_acf()` ranks lags by the absolute autocorrelation of the reconstructed training series.
- `lag_pacf()` ranks lags by the absolute partial autocorrelation.
- `lag_peaks()` keeps local maxima of the ACF or PACF profile to avoid selecting many redundant neighboring lags.
- `lag_seasonal()` prioritizes multiples of an estimated or user-provided seasonal period.
- `lag_acf_seasonal()` and `lag_pacf_seasonal()` combine seasonal lags with correlation-based completion.
- `lag_blocks()` expands neighborhoods around the strongest correlation peaks.

**Supervised mappings**

- `lag_mi()` ranks lags by discretized mutual information with the target.

- `lag_mrmr()` greedily maximizes relevance to the target while reducing redundancy among already selected lags.

The mutual-information criteria use quantile discretization and therefore provide deterministic approximations suitable for lightweight dependency-free lag selection inside the package.

### Value

A `tslagutils` object exposing the helper functions.

### References

- Box GEP, Jenkins GM, Reinsel GC, Ljung GM (2015). *Time Series Analysis: Forecasting and Control*. Fifth Edition. Wiley.
- Hyndman RJ, Athanasopoulos G (2021). *Forecasting: Principles and Practice*. Third Edition. OTexts. <https://otexts.com/fpp3/>
- Peng H, Long F, Ding C (2005). Feature selection based on mutual information criteria of max-dependency, max-relevance, and min-redundancy. *IEEE Transactions on Pattern Analysis and Machine Intelligence*, 27(8), 1226-1238. doi:10.1109/TPAMI.2005.159
- Leites J, Cerqueira V, Soares C (2024). Selecting time lags for time series forecasting: an empirical study. arXiv:2405.11237.

### Examples

```
utils <- tslagutils()

# Positional baselines
utils$lag_recent(total = 9, input_size = 4)
utils$lag_even(total = 9, input_size = 4)

# Reconstruct a raw series from sliding windows and aligned outputs
data(tsd)
ts <- ts_data(tsd$y, 10)
io <- ts_projection(ts)
series <- utils$reconstruct_series(io$input, io$output)
head(series)

# Correlation profile over available lags
utils$score_acf(series, lag_max = 9)
```

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